



# MS-DFT: Quantum Transport from a Multi-Space Excitation Viewpoint

---

**Yong-Hoon Kim**

*School of Electrical Engineering*

*Korea Advanced Institute of Science & Technology (KAIST)*

[y.h.kim@kaist.ac.kr](mailto:y.h.kim@kaist.ac.kr)

**IWCN 2023 Barcelona, Spain**

**Monday, June 12, 2023**

## I. Background information

- DFT-NEGF: Difficulties → Beyond DFT-NEGF?
- DFT vs NEGF
- NEGF  $\neq$  Landauer

## II. MS-DFT: development & its applications

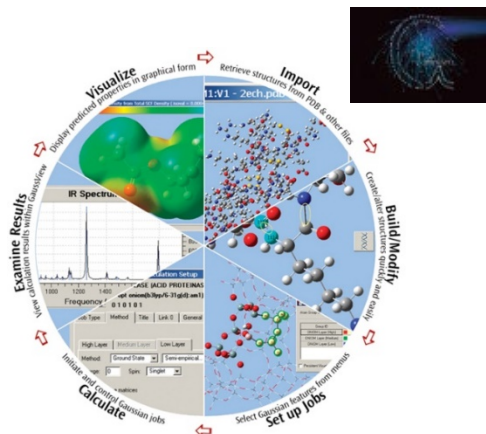
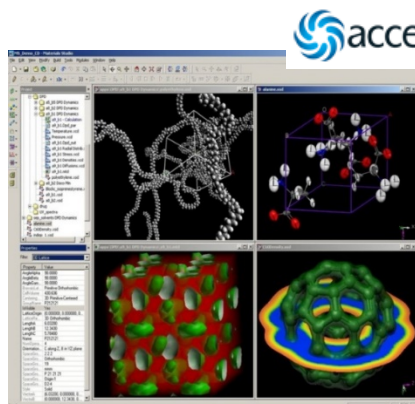
## III. Summary

## □ Density Functional Theory (DFT)

- VASP
- SIESTA
- Gaussian
- etc. etc.

Energy, structure, ...

@ Equilibrium



## □ GW+BSE & time-dependent DFT

Optical excitation, ...

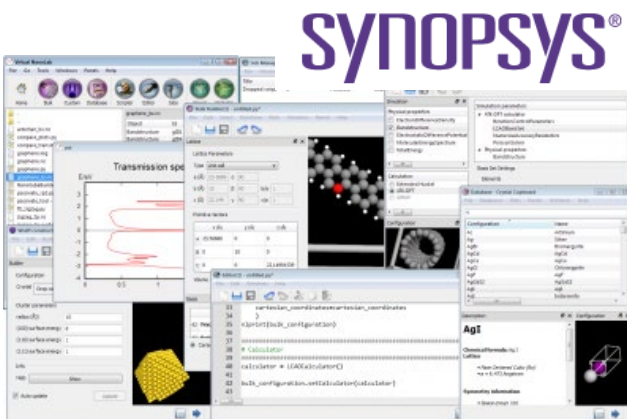
@ Non-equilibrium

## □ Non-Equilibrium Green's function (NEGF)

Quantum transport, ...

@ Non-equilibrium

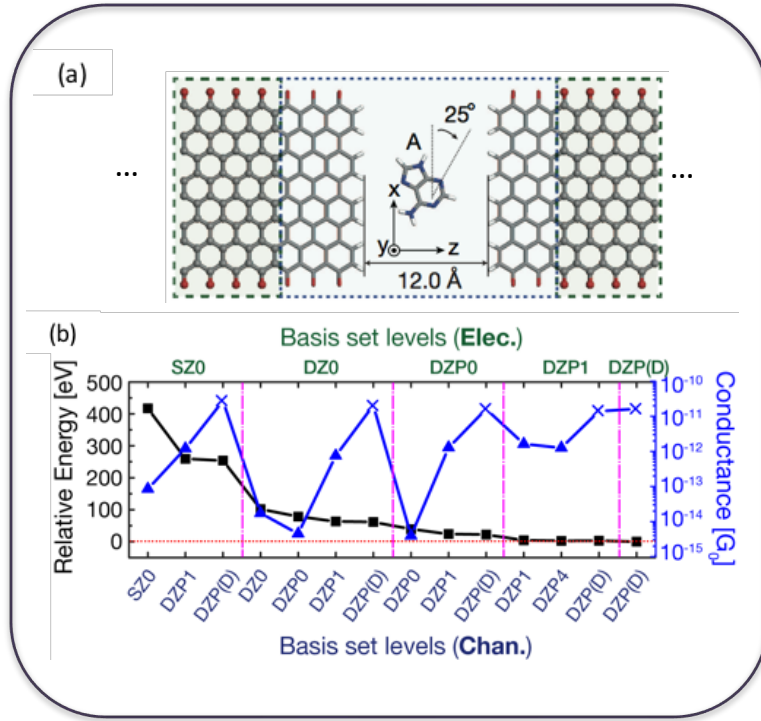
- TranSIESTA
- QuantumATK
- etc.



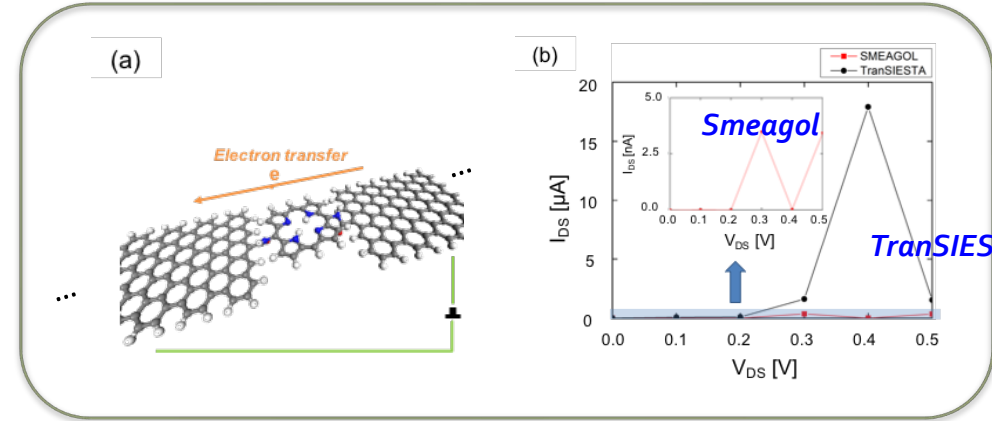
**SEMICON<sup>®</sup>**  
*West2007*

*"Technology Innovation  
Showcase Winner"*

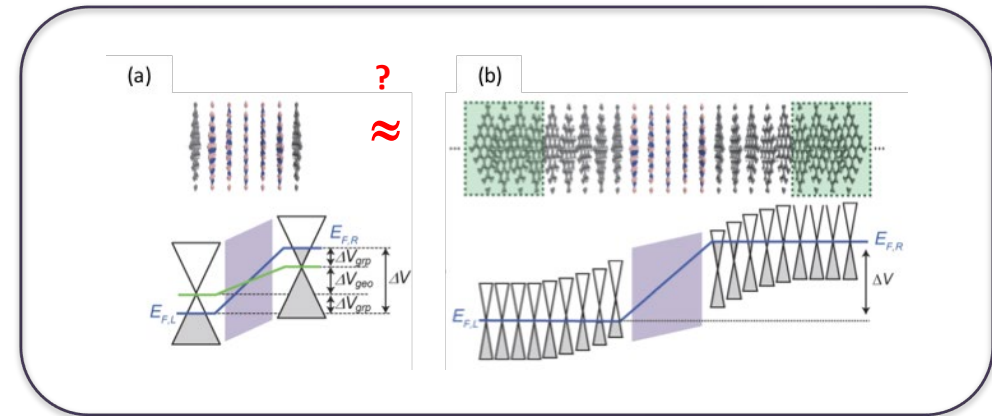
## Various difficulties from NEGF



Nonvariational nature of "Landauer" current ( $V_b = 0$  V)



Inequivalence between different codes ( $V_b \neq 0$  V)



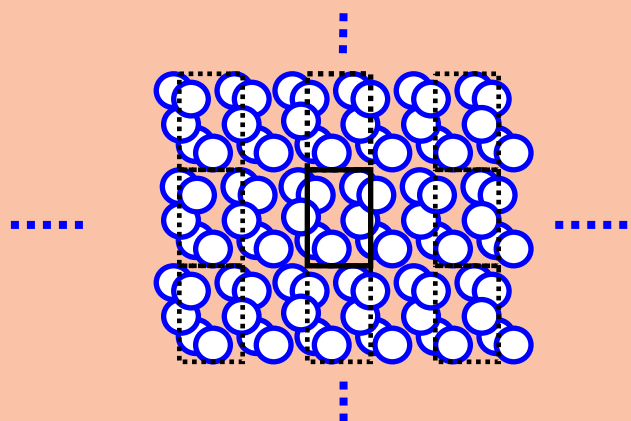
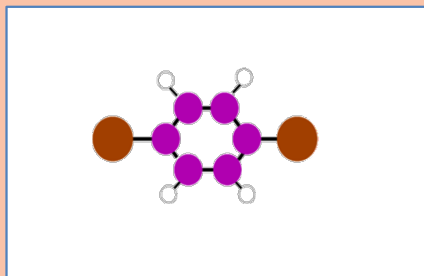
Restrictions from the requirement of semi-infinite electrodes ( $V_b \neq 0$  V)

## DFT (Equilibrium)

*Closed or Periodic B. C.*

$$H\psi_i = \varepsilon_i\psi_i$$

$$f_{FD}(E - \mu)$$

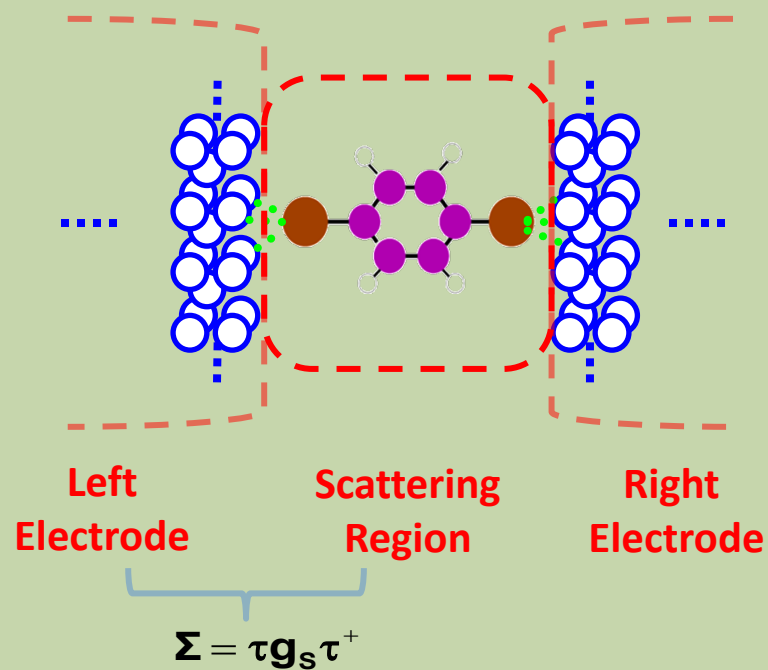


## NEGF (Non-equilibrium)

*Open B. C.*

$$G^R = (E1 - H - \Sigma_1 - \Sigma_2)^{-1}$$

$$G^n(E) \approx f_1 A_1(E) + f_2 A_2(E)$$

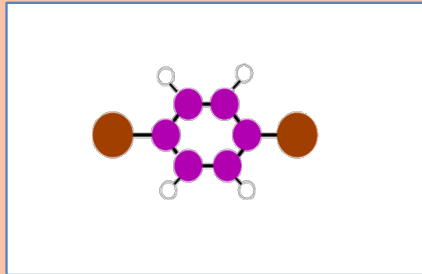


## DFT (Equilibrium)

Closed or Periodic B. C.

$$H\psi_i = \varepsilon_i\psi_i$$

$$f_{FD}(E - \mu)$$



😊 High-reliability of simulations!!

$$E[\chi] = \frac{\langle \chi | H | \chi \rangle}{\langle \chi | \chi \rangle} \longrightarrow E[\chi] \geq E_{GS} = \langle \psi_{GS} | H | \psi_{GS} \rangle$$

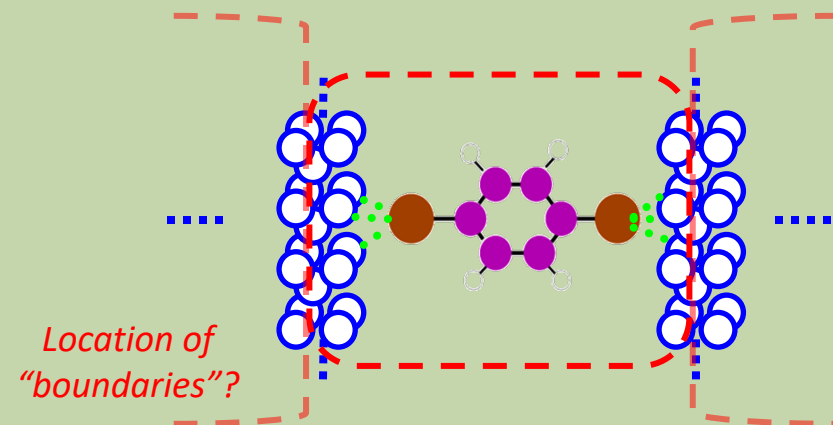
- Total energy ← Variational principle

## NEGF (Non-equilibrium)

Open B. C.

$$G^R = (E1 - H - \Sigma_1 - \Sigma_2)^{-1}$$

$$G^n(E) \approx f_1 A_1(E) + f_2 A_2(E)$$



☹️ Ambiguities??

$$I(V) \approx \frac{e}{h} \int dE \text{Tr}(\Gamma_1 \mathbf{G} \Gamma_2 \mathbf{G}^+) [f_1 - f_2]$$

- Current: Non-variational quantity

Valid for: *time-dependent* Schrodinger eq. & *closed* quantum system

- Retarded Green's function ( $\sim$  DOS):

$$\mathbf{G}^R(E) = [(E + i0^+) \mathbf{1} - \mathbf{H}]^{-1}$$

→ Spectral function ( $\sim$  "DOS")

$$\mathbf{A}(E) = i[\mathbf{G}(E) - \mathbf{G}^+(E)]$$

- Correlation function ( $\sim$  density):

$$\underbrace{\mathbf{G}^n}_{\psi\psi^+} = \mathbf{G}^R \underbrace{\Sigma^{in}}_{ss^+} \mathbf{G}^A \quad \text{"Keldysh eq."}$$

→ Density matrix

$$\mathbf{D} = \frac{1}{2\pi} \int_{-\infty}^{+\infty} dE \mathbf{G}^n(E)$$

or Density

$$n(\vec{r}) = \frac{1}{2\pi} \int_{-\infty}^{+\infty} dE \mathbf{G}^n(\vec{r}, E)$$



Leonid Keldysh  
(1931~2016)



Gordon Baym  
(1935~)



Leo Kadanoff  
(1937~2015)

- Closed* quantum systems
- Initial global *equilibrium*
- Adiabatic* approach to *non-equilibrium* state

"Electronic Transport in Mesoscopic Systems"  
by S. Datta (1997)

"Electrical Transport in Nanoscale Systems"  
by M. Di Ventra (2008)

$$i\hbar \frac{\partial \psi(t)}{\partial t} = H(t)\psi(t) + \int_0^t dt' \Sigma(t, t')\psi(t') + s(t)$$

- Self-energy:

$$\mathbf{G}^R(E) = [E\mathbb{I} - \mathbf{H} - \mathbf{\Sigma}_1(E) - \mathbf{\Sigma}_2(E)]^{-1}$$

- “Landauer condition”:

$$\Sigma^{in} \approx \mathbf{\Gamma}_1 f_1 + \mathbf{\Gamma}_2 f_2$$

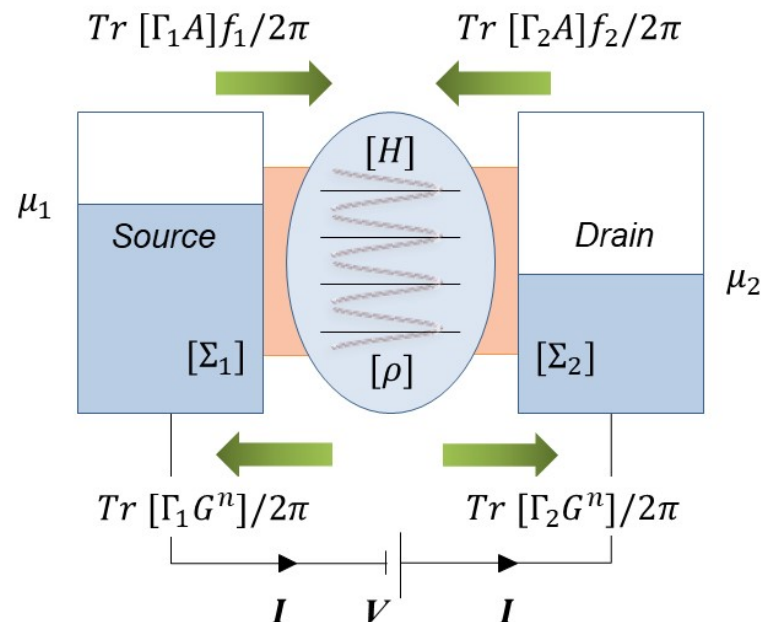
$$\rightarrow n(\vec{r}) \approx \frac{1}{2\pi} \int_{-\infty}^{+\infty} dE [f_1 \mathbf{A}_1 + f_2 \mathbf{A}_2]$$

- Terminal current:

$$I = \frac{e}{h} \int dE \{Tr[\mathbf{\Gamma}_\alpha \mathbf{A}] f_\alpha - Tr[\mathbf{\Gamma}_\alpha \mathbf{G}^n]\}$$

$$\approx \frac{e}{h} \int dE \underbrace{Tr(\mathbf{\Gamma}_1 \mathbf{G} \mathbf{\Gamma}_2 \mathbf{G}^+)}_{\text{Transmission}} [f_1(E) - f_2(E)]$$

Transmission



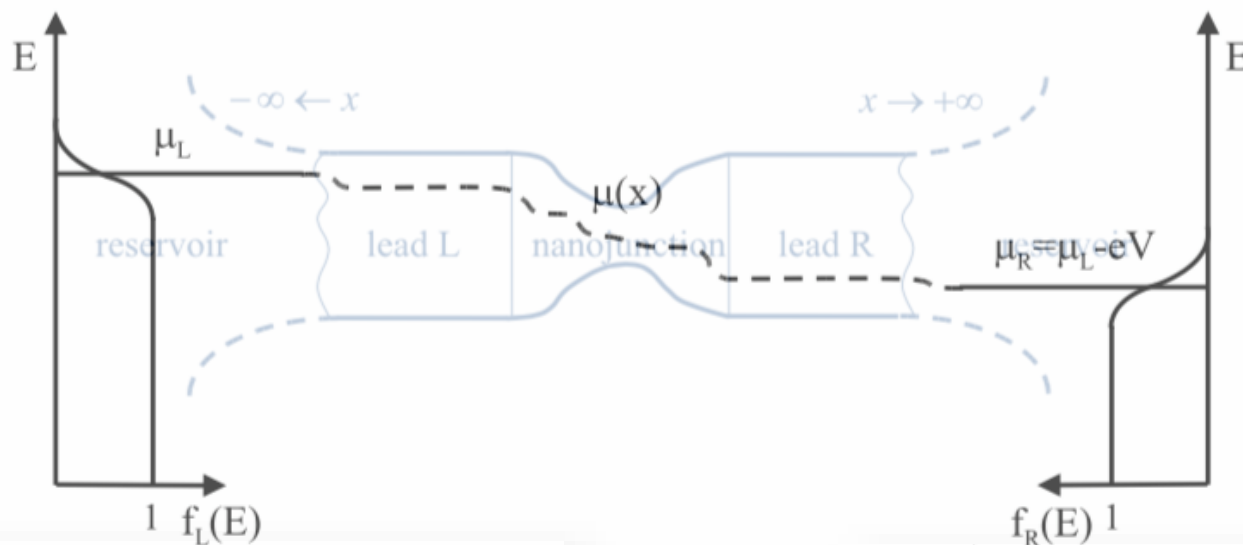
- Time-dependent  $\rightarrow$  **Steady state transport**
- Closed  $\rightarrow$  **Open quantum system via BC**

“Electronic Transport in Mesoscopic Systems”  
by S. Datta (1997)

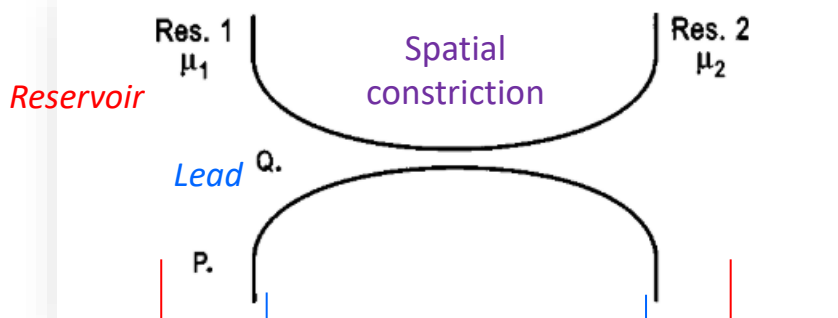
“Electrical Transport in Nanoscale Systems”  
by M. Di Ventra (2008)



"... it is a **viewpoint**, not a specific equation."

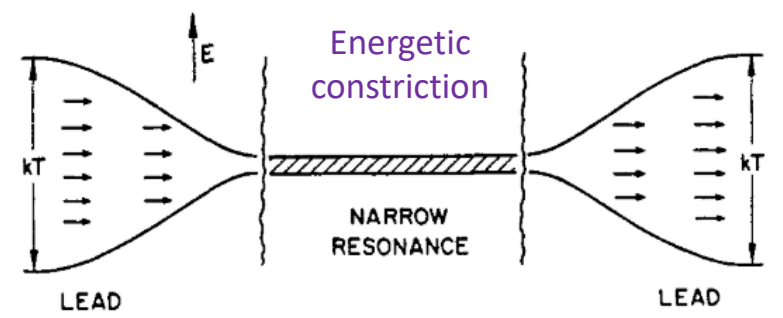


Rolf William Landauer  
(1927~1999)



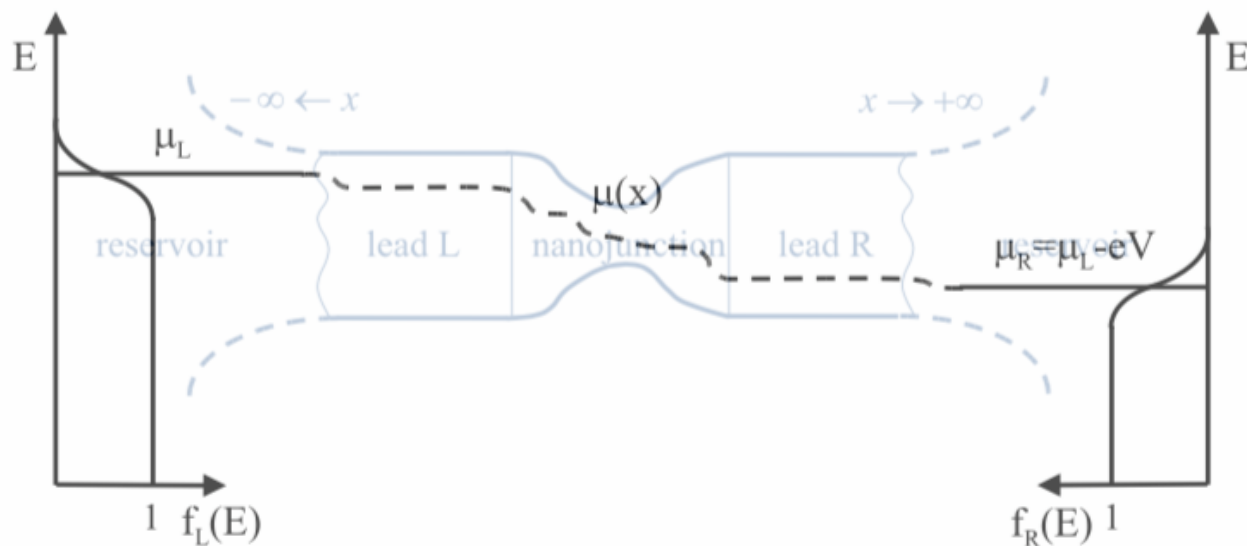
$$G_B = \frac{2e^2}{h} \frac{T}{1-T}$$

$$G_B = \frac{2e^2}{h} T$$



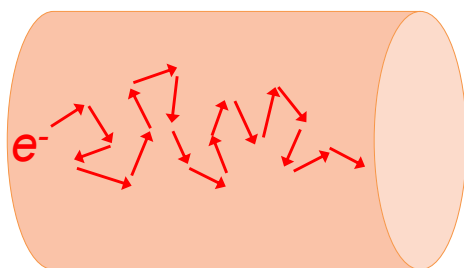
R. Landauer, *Z. Phys. B* **68**, 217 (1987)  
 R. Landauer, *J. Phys. Condens. Matter* **43**, 8099 (1989)  
 R. Landauer, *Phys. Scr.* **T42**, 110 (1992)  
 Y. Imry & R. Landauer, *Rev. Mod. Phys.* **71**, S306 (1999)

## Q. Beyond DFT-NEGF? ← Alternative to the Landauer picture?



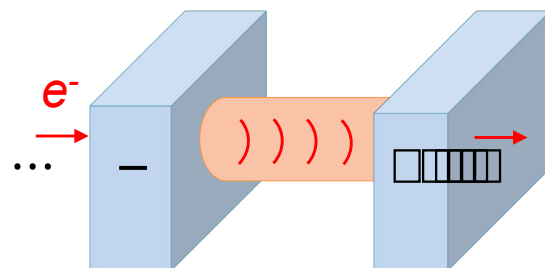
Rolf William Landauer  
(1927~1999)

### Classical transport

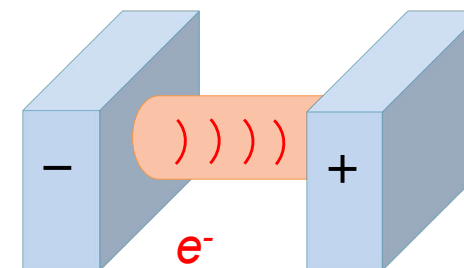


### Quantum transport

Landauer (1957)



This work (2020)



I. Background information: DFT, NEGF, & Landauer

II. MS-DFT: development & its applications

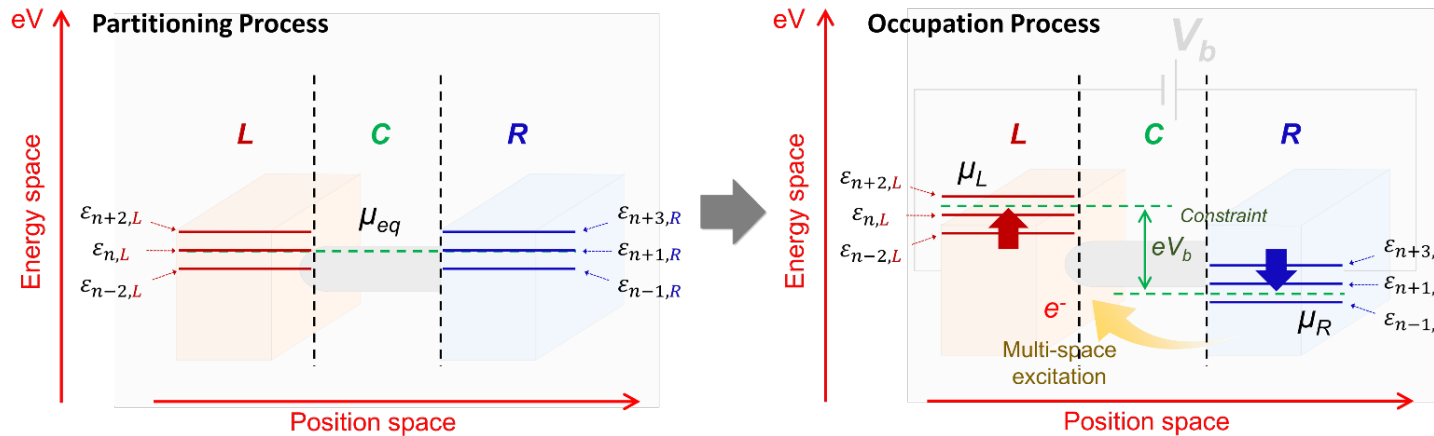
- Formulation → Total energy
- Voltage drop: Quasi-Fermi level splitting & Landauer resistivity dipole
- Graphene vertical vdW tunneling transistor & NDR
- *Electric enthalpy & Interfacial water*

III. Summary

## Multi-Space constrained-search DFT (MS-DFT)

### 1. Steady-state *quantum transport* = Time-independent *multi-space optical excitation*

cf. Landauer viewpoint



### 2. Micro-canonical $\rightarrow$ *Variational* (constrained-search) DFT quantum transport calculation

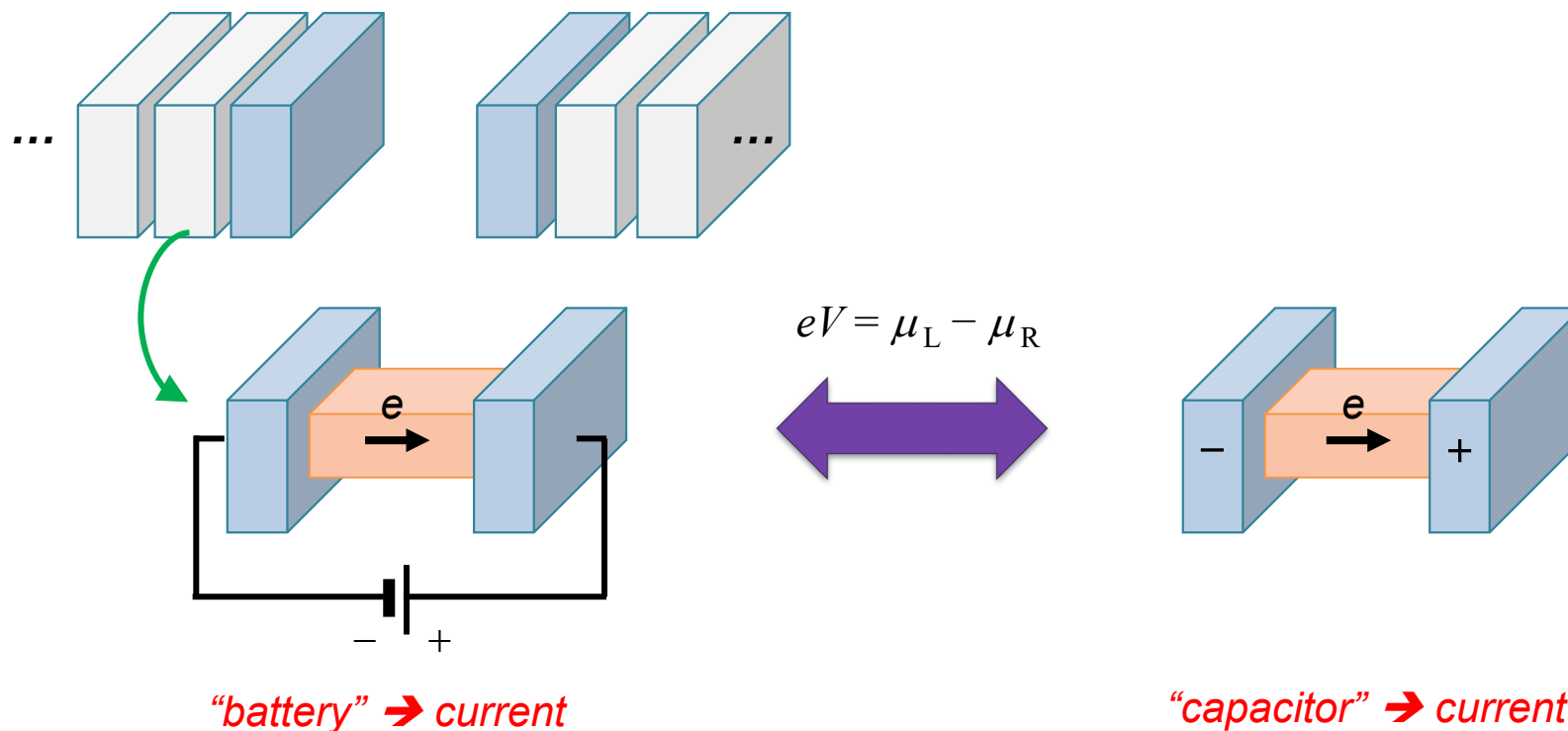
cf. DFT-NEGF

- H.S. Kim & YHK, arXiv [cond-mat.mes-hall], 1808.03608 (2018)
- J. Lee, H. Yeo, & YHK, PNAS **117**, 10142 (2020)
- T.H. Kim, J. Lee, R.-G. Lee, & YHK, Adv. Sci. **7**, 2001038 (2020)

Quantum **transport** = Multi-space (space-discriminating) **excitation**  
→ Variational DFT calculation of steady-state current

Step 1. Viewpoint: Grand-canonical (“Landauer”)  $\Leftrightarrow$  Micro-canonical

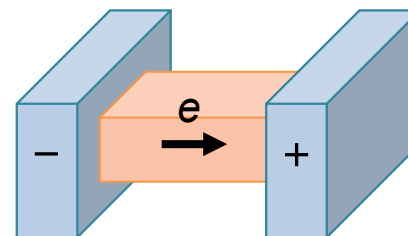
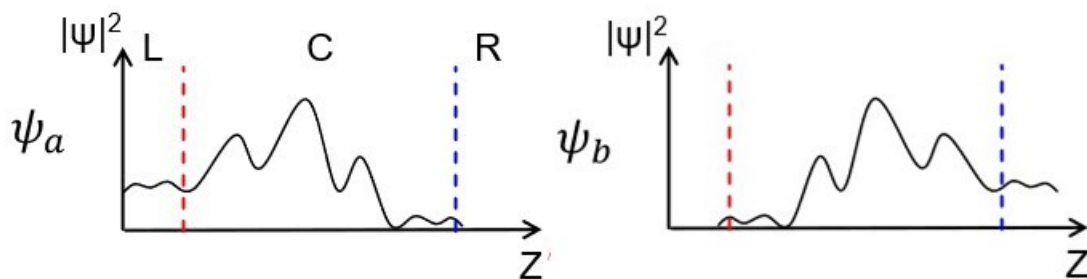
*Di Ventra & Todorov, J. Phys. Cond. Matt. 16, 8025 (2004).*



Quantum **transport** = Multi-space (space-discriminating) **excitation**  
 → Variational DFT calculation of steady-state current

Step 2. Assign  $\Psi$  to L, C, & R regions

“locality” or “near-sightness” in C (semi-conductors)  
 (W. Kohn)



$$\psi_i(\vec{r}) \in \begin{cases} \psi_i^L & \text{if } \int_L |\psi_i(\vec{r})|^2 d^3r > \int_{C/R} |\psi_i(\vec{r})|^2 d^3r, \\ \psi_i^C & \text{if } \int_C |\psi_i(\vec{r})|^2 d^3r > \int_{L/R} |\psi_i(\vec{r})|^2 d^3r, \\ \psi_i^R & \text{if } \int_R |\psi_i(\vec{r})|^2 d^3r > \int_{L/C} |\psi_i(\vec{r})|^2 d^3r \end{cases}$$

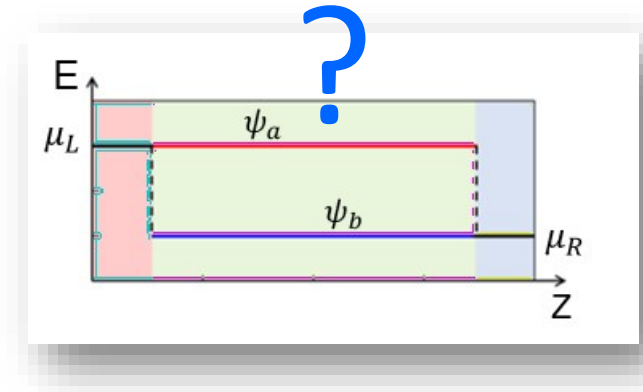
- $V = 0 : \rho_0(\vec{r}) = \rho_0^L(\vec{r}) + \rho_0^C(\vec{r}) + \rho_0^R(\vec{r})$
- $V \neq 0 : \rho_k(\vec{r}) = \rho_k^L(\vec{r}) + \rho_k^C(\vec{r}) + \rho_k^R(\vec{r})$

Quantum **transport** = Multi-space (space-discriminating) **excitation**  
 → Variational DFT calculation of steady-state current

Step 3. quantum **transport** ⇔ Multi-electrode (drain → source) **excitation**

cf. **Variational** time-independent excited-state DFT

- M. Levy & Á. Nagy, *Phys. Rev. Lett.* **83**, 4361 (1999).
- A. Görling, *Phys. Rev. A* **59**, 3359 (1999).



For the “excited” state  $k$ ;

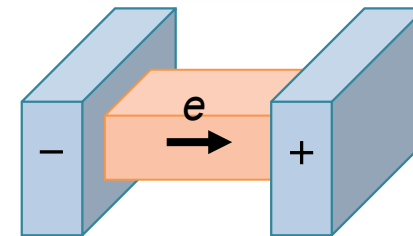
$$E_k = \min_{\rho} \left\{ \int v(\vec{r}) \rho(\vec{r}) d^3\vec{r} + F[\rho_k^L, \rho_k^C, \rho_k^R, \rho_0] \right\}$$

$$= \int v(\vec{r}) \rho(\vec{r}) d^3\vec{r} + F[\underbrace{\rho_k}_{\text{orthogonal}}, \rho_0]$$

with

$$F[\rho_k, \rho_0] = \min_{\Psi_{L/C/R} \rightarrow \rho_k} \langle \Psi_{L/C/R} | \hat{T} + \hat{V}_{ee} | \Psi_{L/C/R} \rangle$$

→ **Constrained Search** (constraint:  $eV = \mu_R - \mu_L$ )



$$\rho_k(\vec{r}) = \rho_k^L(\vec{r}) + \rho_k^C(\vec{r}) + \rho_k^R(\vec{r})$$

Quantum **transport** = Multi-space (space-discriminating) **excitation**  
 → Variational DFT calculation of steady-state current

Step 4. Transmission & current as **post-processing processes**

- Semi-infinite electrodes (**recover Landauer**):

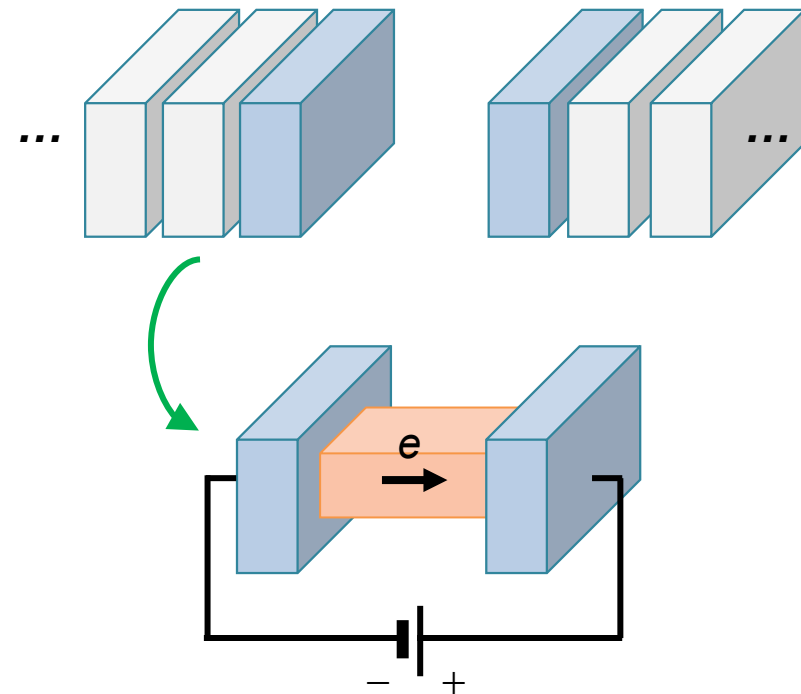
$$T(E; V) = \text{Tr}[\Gamma_L G \Gamma_R G^\dagger]$$

- Finite electrodes:

$$T(E; V) = \text{Tr}[A_L M A_R M^\dagger] \quad \text{with} \quad M = \tau_L^\dagger G \tau_R$$

- I-V:

$$I(V) = \frac{e}{h} \int_{-\infty}^{\infty} dE T(E; V) [f_1(E) - f_2(E)]$$





*N.B. "Current" is not our simulation target any more.  
→ Instead, minimizing "energy" within the "constraint  $eV = \mu_1 - \mu_2$ "*

0. Applied bias as a **constraint**:  $eV = \mu_1 - \mu_2$
1. Assign  $\psi_i$  to L/C/R (**multi-space**) regions
2. Minimize energy functional via **constrained search** :

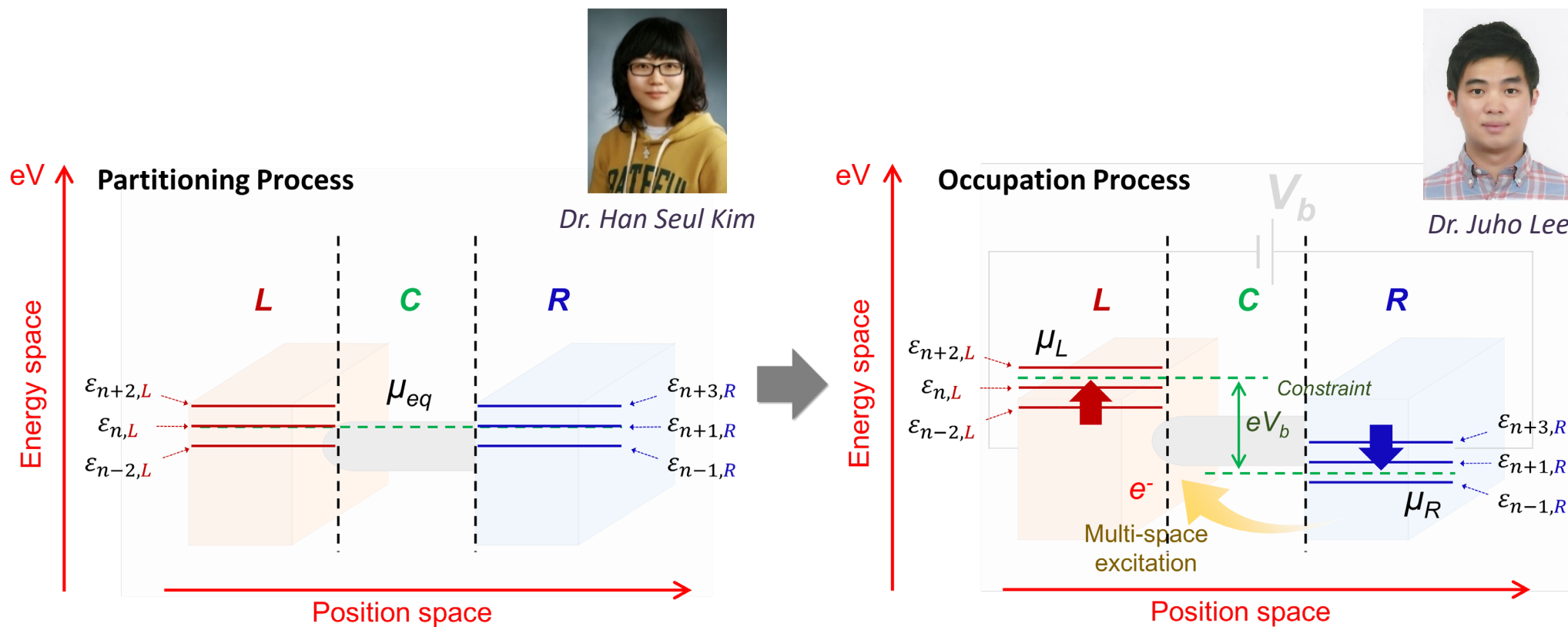
$$E_k = \min_{\rho} \left\{ \int v(\vec{r}) \rho(\vec{r}) d^3\vec{r} + F[\rho_k^L, \rho_k^C, \rho_k^R, \rho_0] \right\} \quad (\text{total energy})$$

$$F[\rho_k, \rho_0] = \min_{\Psi_{L/C/R} \rightarrow \rho_k} \langle \Psi_{L/C/R} | \hat{T} + \hat{V}_{ee} | \Psi_{L/C/R} \rangle \quad (\text{universal functional})$$

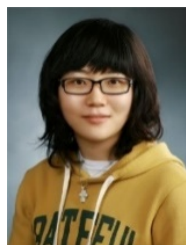
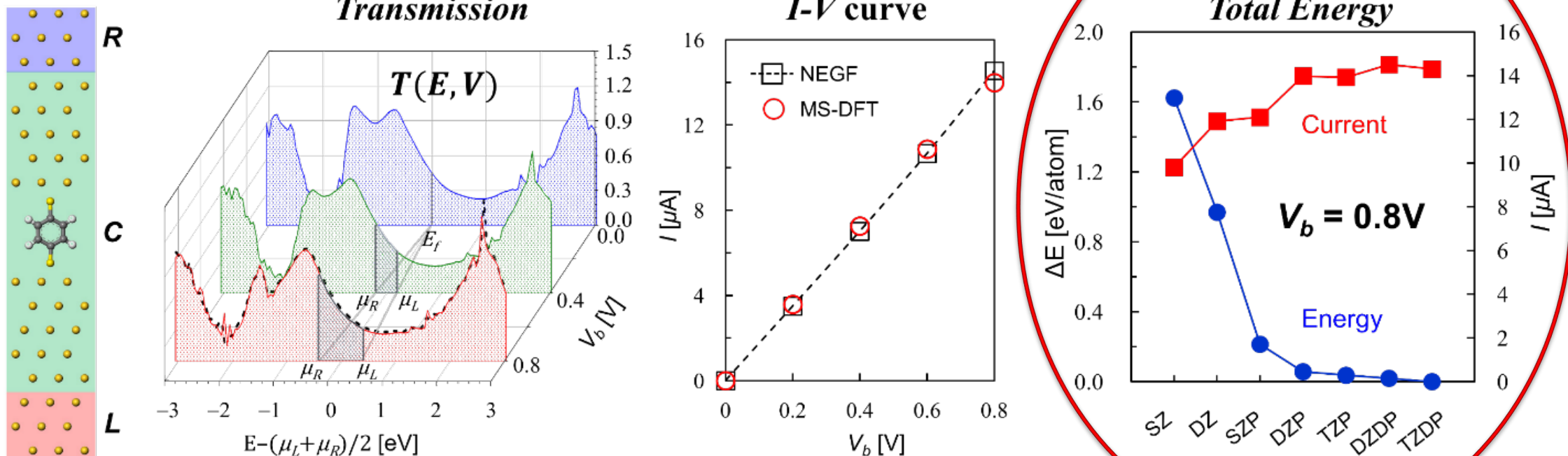
⇒ Solve (non-equilibrium) Kohn-Sham (KS) equations

$$[\hat{h}_{KS}^0 + \Delta v_{Hxc}(\vec{r})] \psi_i(\vec{r}) = \varepsilon_i \psi_i(\vec{r})$$

Quantum **transport** = Multi-space (space discriminating) **excitation**  
 → Variational constrained-search DFT calculation of quantum transport



- MS-DFT (microcanonical) vs NEGF (grand-canonical) → Key implication:



Dr. Han Seul Kim



Dr. Juho Lee

J. Lee, H. Kim, & YHK,  
Adv. Sci. 7, 2001038  
(2020)

# 2. Quasi-Fermi levels (Electrochemical potential drop)

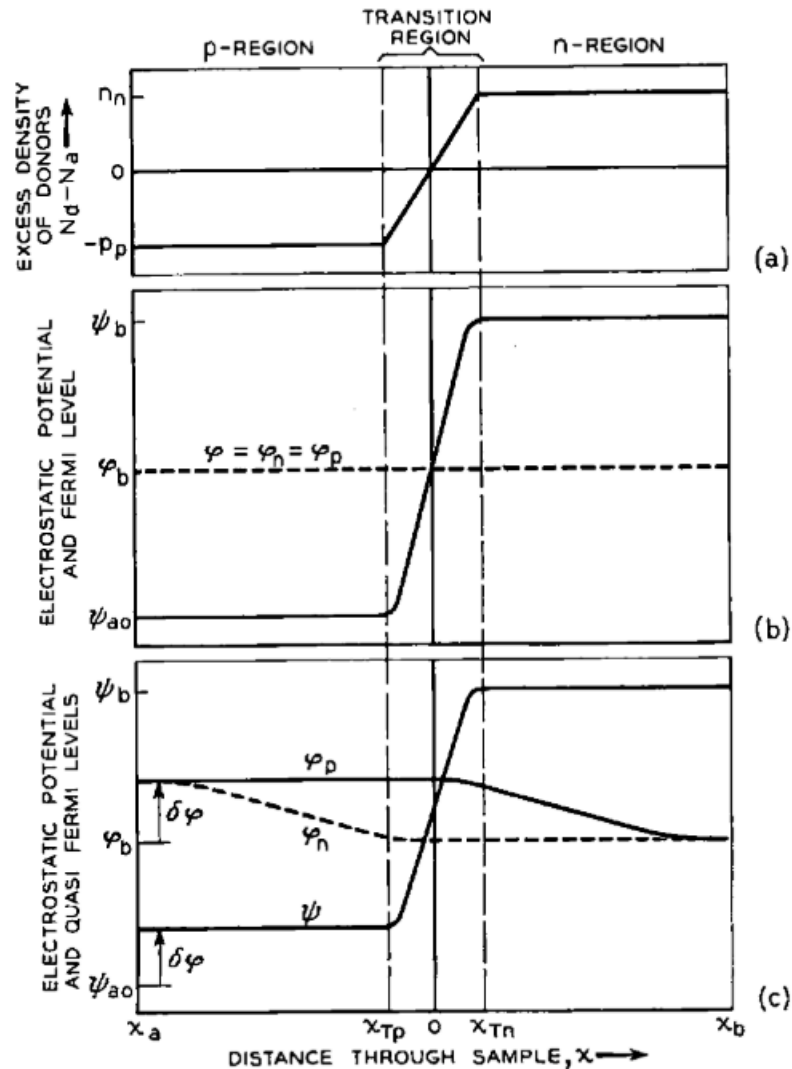
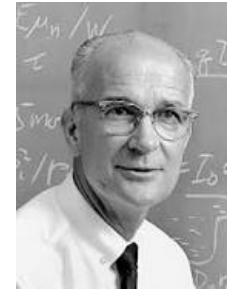


Fig. 6—Simplified model of a p-n junction.



William Shockley  
(1910~1989)



Nobel Prize in  
Physics 1956

- **p-n junction**

*Shockley, Bell Sys. Tech. J. 28, 435 (1949)*

- **e-h recombination**

*Shockley-Read, Phys. Rev. 87, 835 (1952)*

- **Solar cell**

*Shockley-Queisser, J. Appl. Phys. 32, 510 (1961)*

**N.B.**

**After 70 years since its inception,  
NO 1<sup>st</sup>-principles calculations of QFLs**

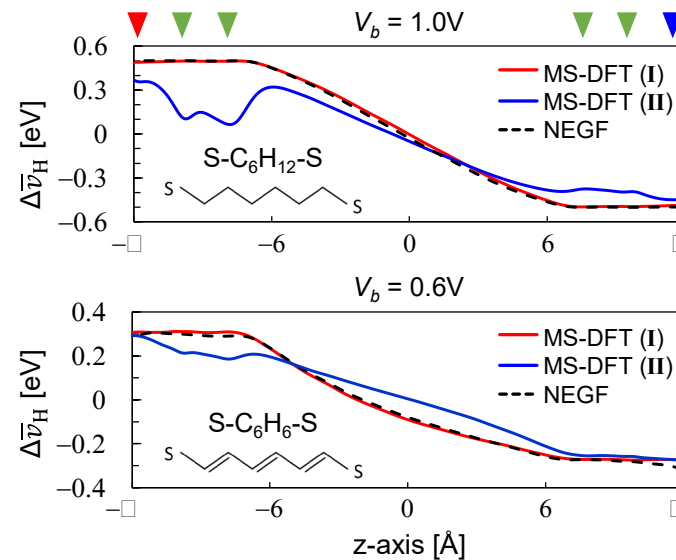
e.g. Molecular electronic devices



Mark Reed  
(1955~2021)

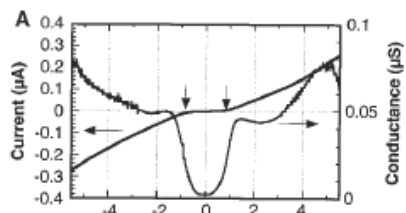
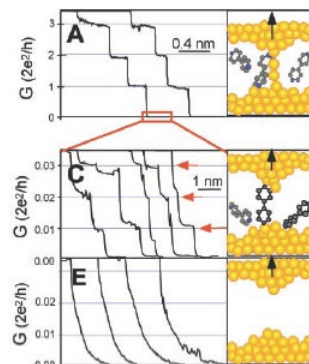
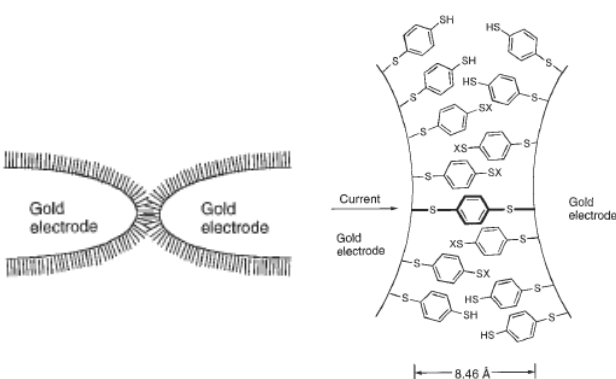


Nongjian Tao  
(1963~2020)

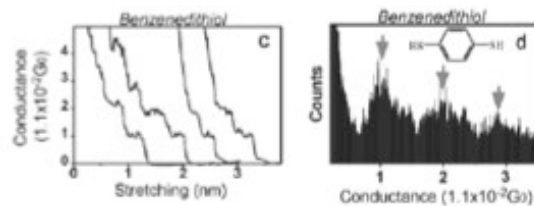


Hexane-  
dithiolate

Hexatriene-  
dithiolate



Science (1997)



Science (2003)

# Explicit (implicit) QFLs within MS-DFT (DFT-NEGF)

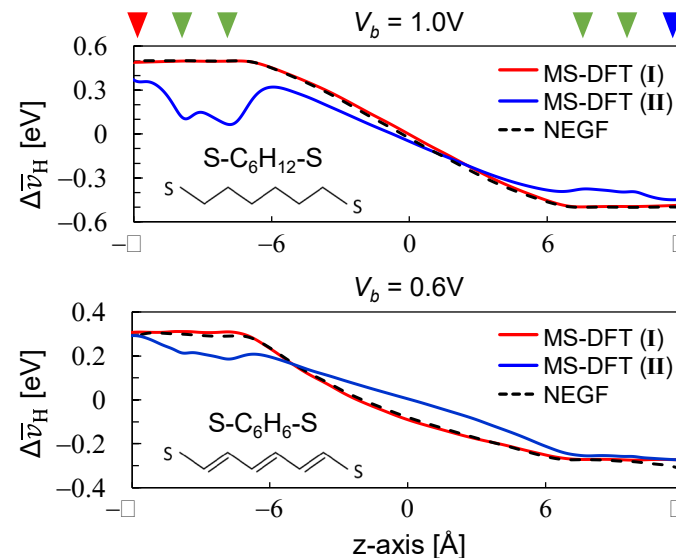
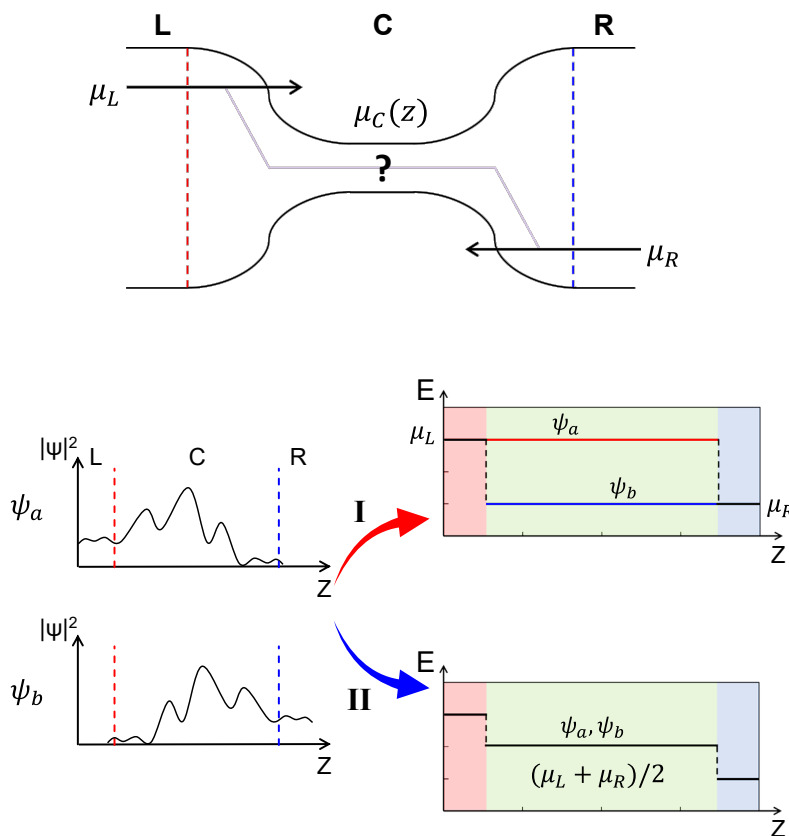
- Occupation rule? → Important to maintain the **separate (non-local) QFLs!**



Juho Lee



Hyun Woo Yeo



**Hexane-  
dithiolate**

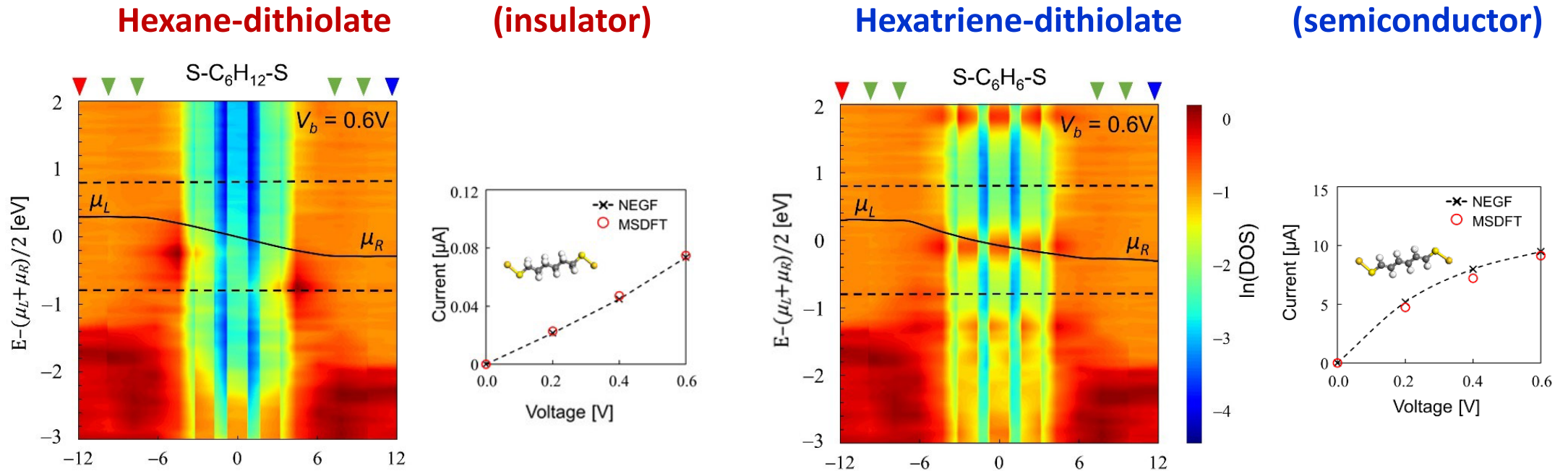
**Hexatriene-  
dithiolate**

J. Lee, H. Yeo, & YHK,  
PNAS **117**, 10142 (2020)

$$\begin{aligned}
 \text{cf. } n(\vec{r}) &= \frac{1}{2\pi} \int_{-\infty}^{+\infty} dE G^n(\vec{r}, E) \\
 &\approx \frac{1}{2\pi} \int_{-\infty}^{+\infty} dE \left[ \underbrace{f_1 \mathbf{A}_1}_{G\Gamma_1 G^+} + \underbrace{f_2 \mathbf{A}_2}_{G\Gamma_2 G^+} \right]
 \end{aligned}$$

$$\psi_i(\vec{r}) \in \begin{cases} \psi_i^L & \text{if } \int_L |\psi_i(\vec{r})|^2 d^3r > \int_{C/R} |\psi_i(\vec{r})|^2 d^3r, \\ \psi_i^C & \text{if } \int_C |\psi_i(\vec{r})|^2 d^3r > \int_{L/R} |\psi_i(\vec{r})|^2 d^3r, \\ \psi_i^R & \text{if } \int_R |\psi_i(\vec{r})|^2 d^3r > \int_{L/C} |\psi_i(\vec{r})|^2 d^3r \end{cases}$$

- Electrostatic potential drop: Why nonlinear drop @ hexatriene-dithiolate?



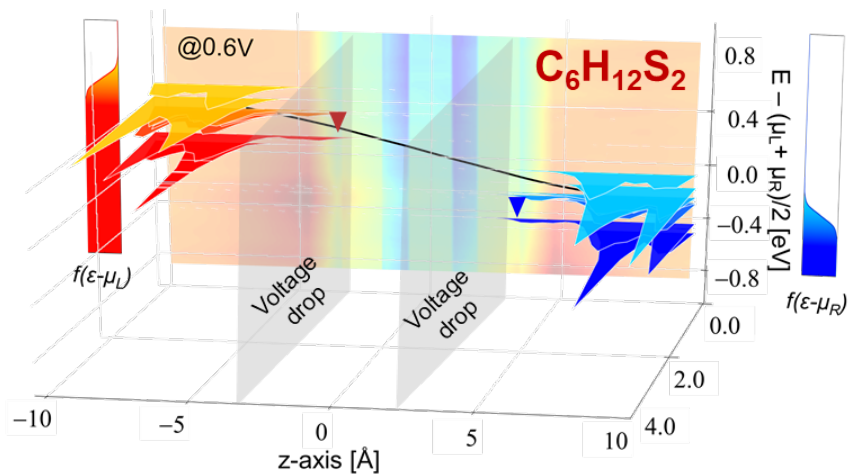
*Electrochemical  
potential drop*

$$V = \frac{\mu_1(\mathbf{r}_2) - \mu_1(\mathbf{r}_1)}{e} = \underbrace{\phi(\mathbf{r}_2) - \phi(\mathbf{r}_1)}_{\text{Electrostatic potential drop}} + \underbrace{\frac{\bar{\mu}(\mathbf{r}_2) - \bar{\mu}(\mathbf{r}_1)}{e}}_{\text{Chemical potential drop}}$$

*Electrostatic  
potential drop*

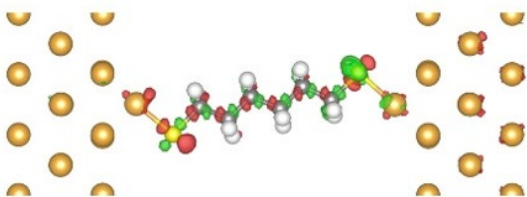
*Chemical  
potential drop*

## Hexane-dithiolate



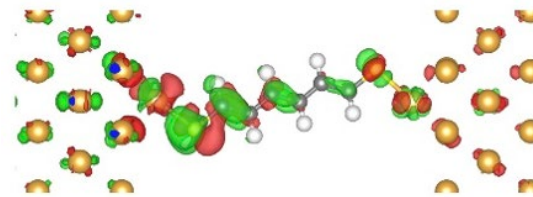
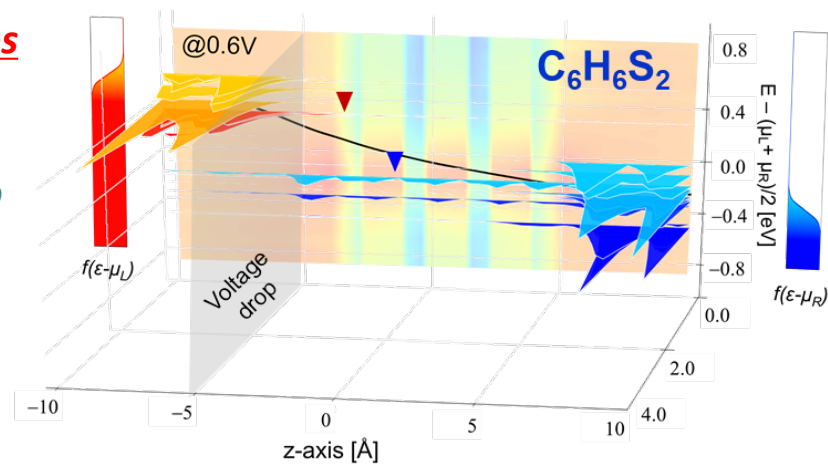
*"Voltage" drops*

*Electrostatic potential drop*



*Landauer residual resistivity dipole*

## Hexatriene-dithiolate

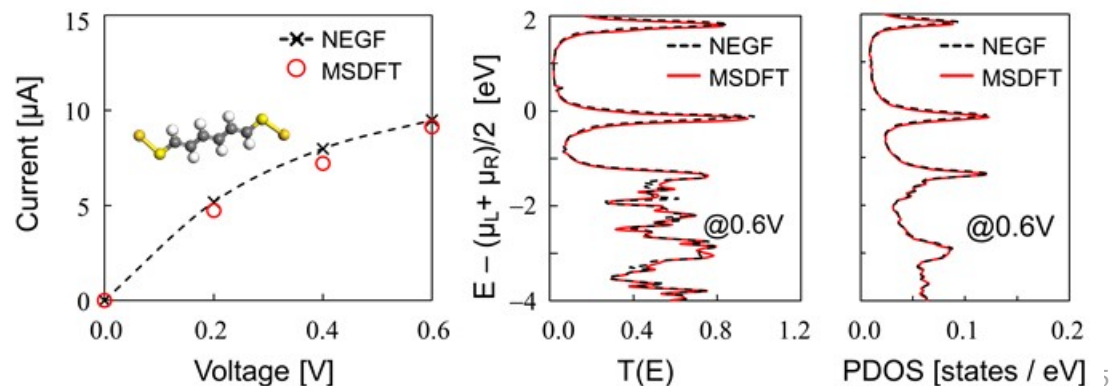
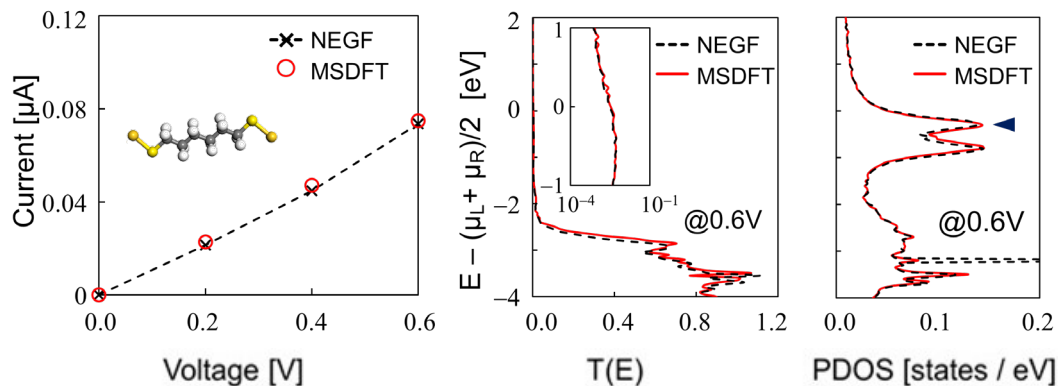
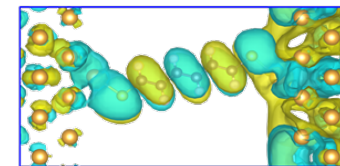
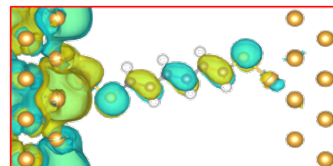
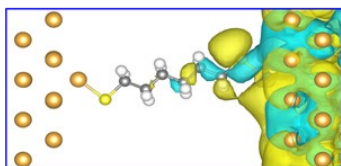
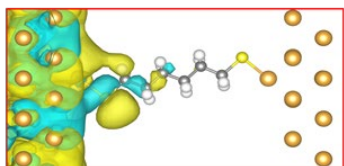
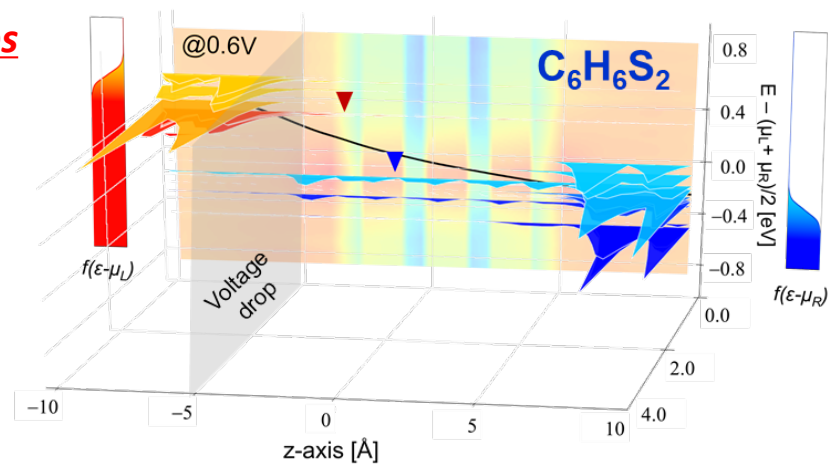
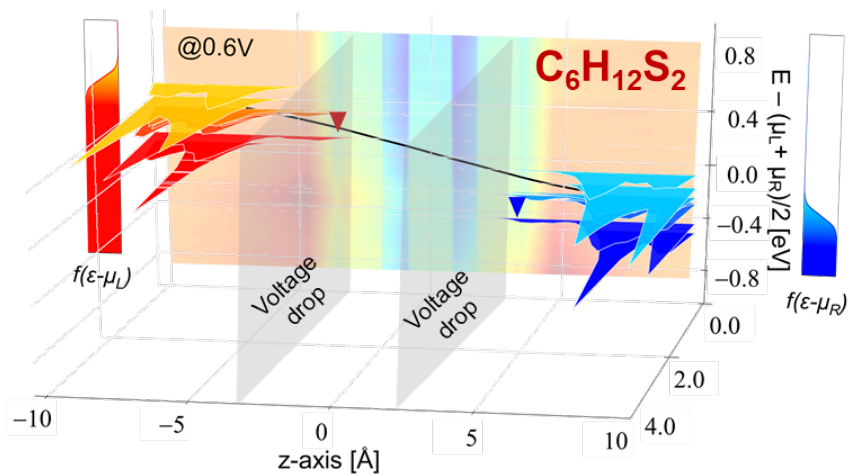




# Electrochemical potential drops (QFLs)

## Hexane-dithiolate

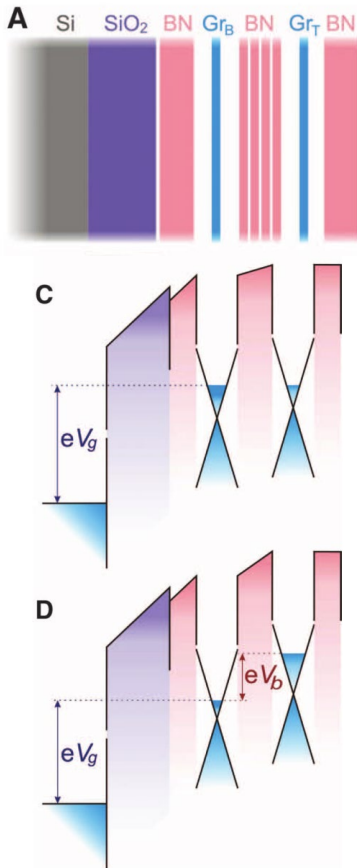
## Hexatriene-dithiolate



# 3. 2D vdW devices: e.g. Gr/hBN/Gr heterojunctions

## Vertical tunneling field effect transistor (FET)

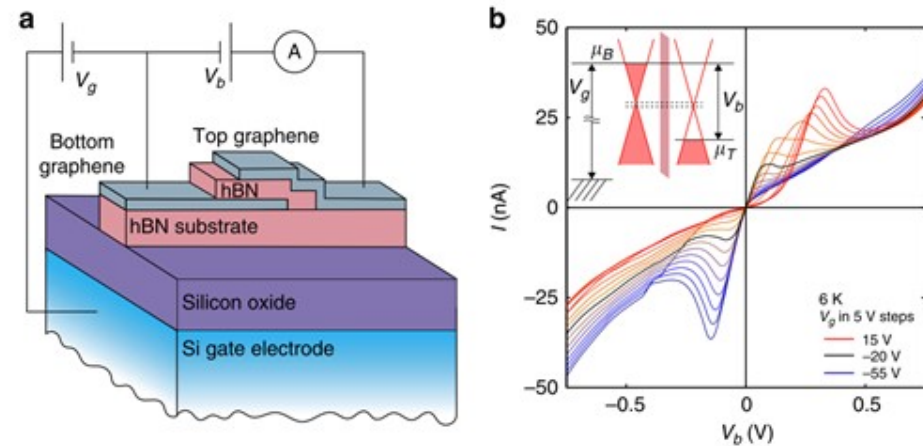
L. Britnell *et al. Science* 335, 947 (2012)



Modulation of **tunneling** currents  
→ On/Off  $\approx 1 \times 10^4$

## Negative Differential Resistance (NDR)

L. Britnell *et al. Nat. Commun.* 4, 1794 (2013)



## High photocurrent

L. Britnell *et al. Science* 340, 1311 (2013), etc.

## Chiral quantum states

J. Wallbank *et al. Science* 353, 6299 (2016), etc.

## Giant tunneling magnetoresistance

T. Song *et al. Science* 360, 1214 (2018), etc.

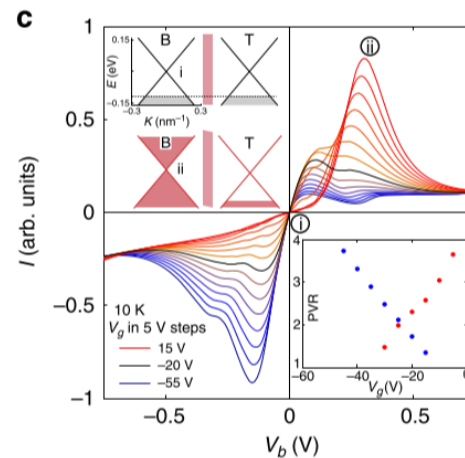
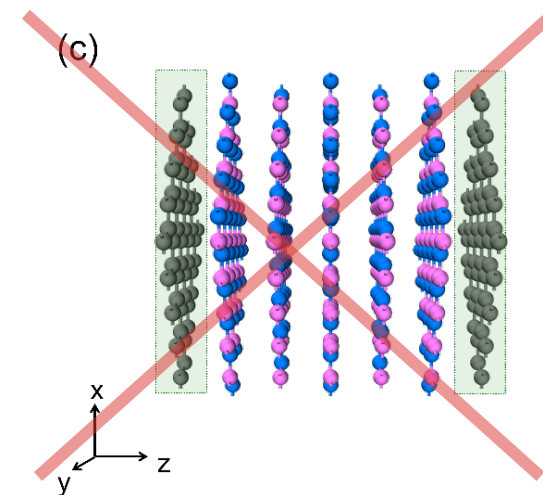
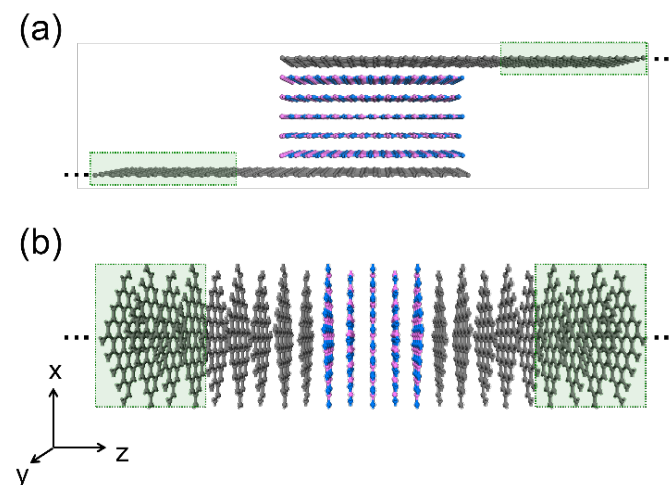
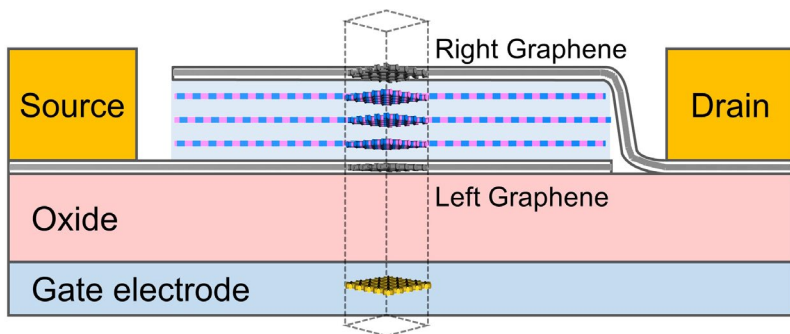
## etc.

# Only semi-classical theory (not NEGF)

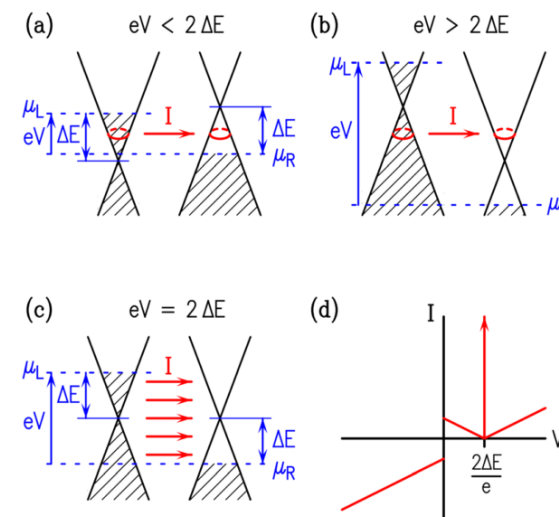
- Semi-classical Bardeen approach

$$I = g_V \frac{4\pi e}{\hbar} \sum_{\alpha, \beta} |M_{\alpha\beta}|^2 [f_L(E_\alpha) - f_R(E_\beta)] \delta(E_\alpha - E_\beta)$$

- Difficulty with DFT-NEGF

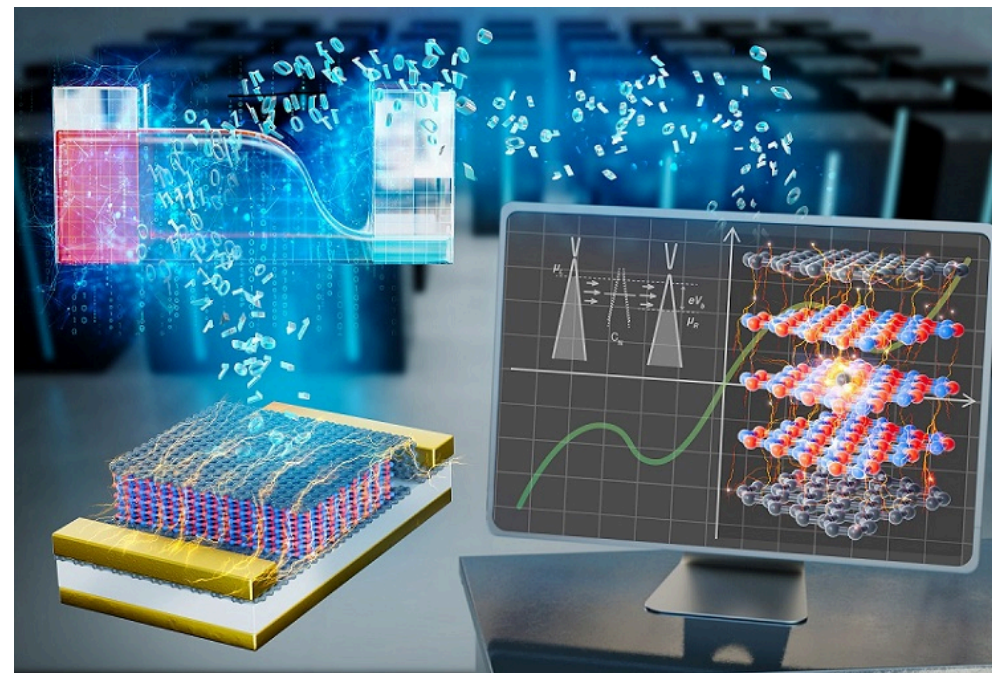
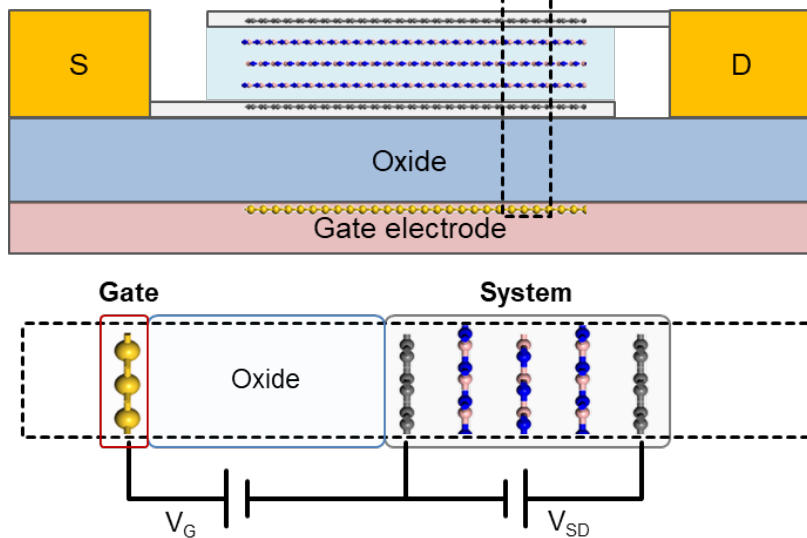


L. Britnell *et al.*  
*Nat. Commun.* **4**, 1794 (2013)



Feenstra *et al.*  
*J. Appl. Phys.* **111**, 4 (2012)

## Gating simulation method



1. “Constrained search”:

$V_G$  as a constraint that precedes  $V_{SD}$

2. Transmission:

$$T(E; V_b, V_g) = \text{Tr}[\mathbf{a}_L \mathbf{M} \mathbf{a}_R \mathbf{M}^\dagger]$$

T.H. Kim, J. Lee, R.-G. Lee, & YHK, *Npj Comput. Mater.* **8**, 50 (2022)

Son *et al.*, *Appl. Surf. Sci.* **581**, 152396 (2022)

Seo *et al.*, *Adv. Mater.* **33**, 2102980 (2021)



Taehyung Kim

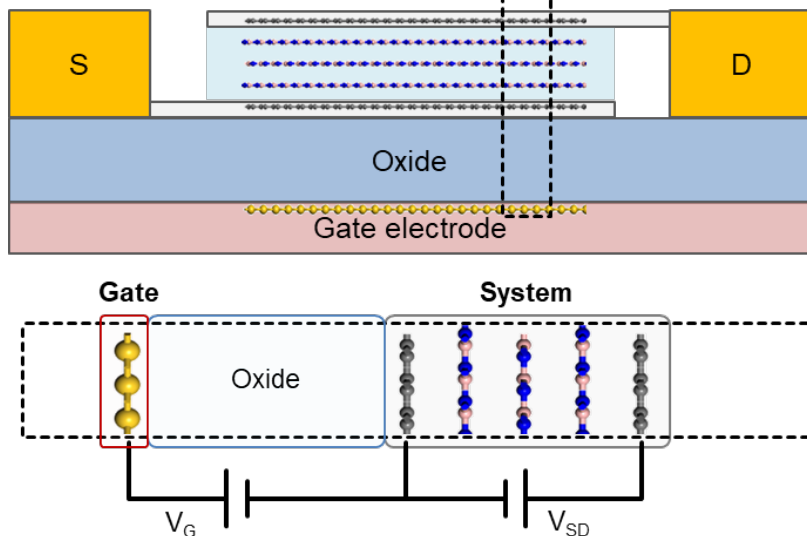


Juho Lee



Ryong Gyu Lee

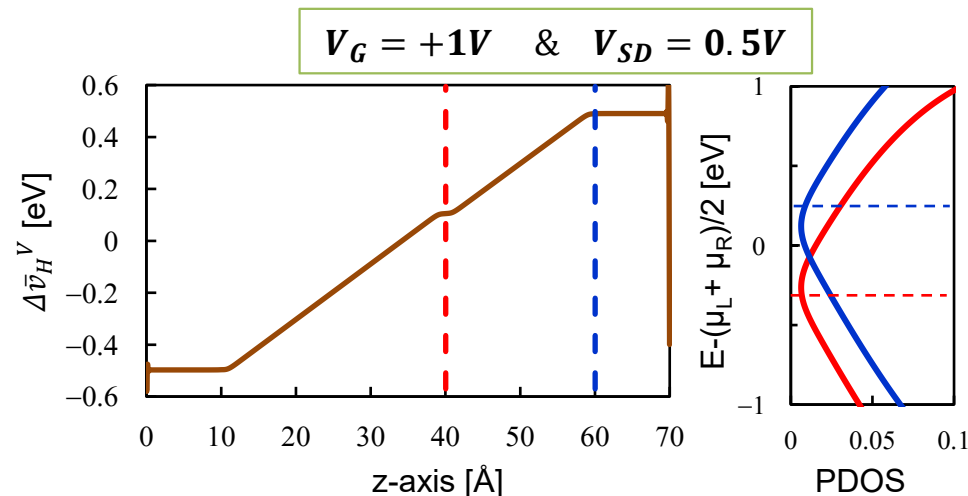
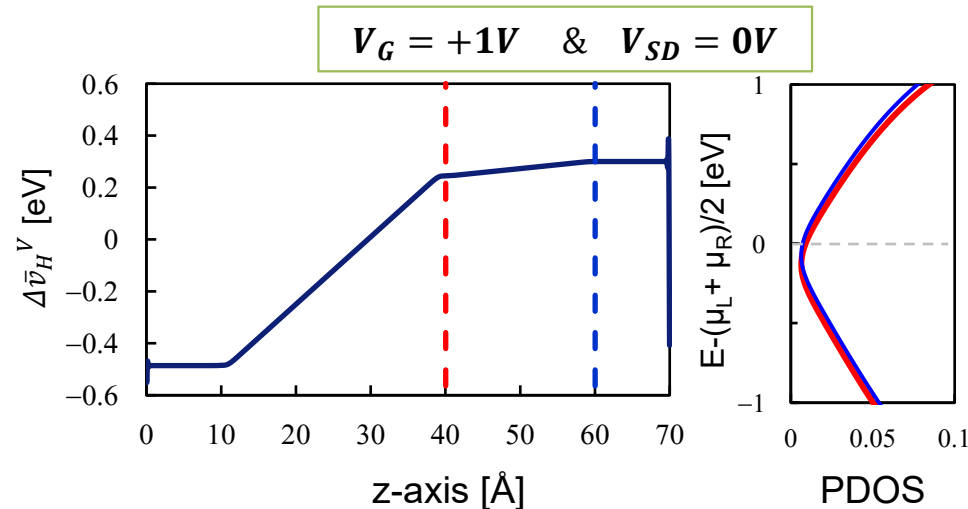
## Gating simulation method



1. "Constrained search":  
 $V_G$  as a constraint that precedes  $V_{SD}$
2. Transmission:

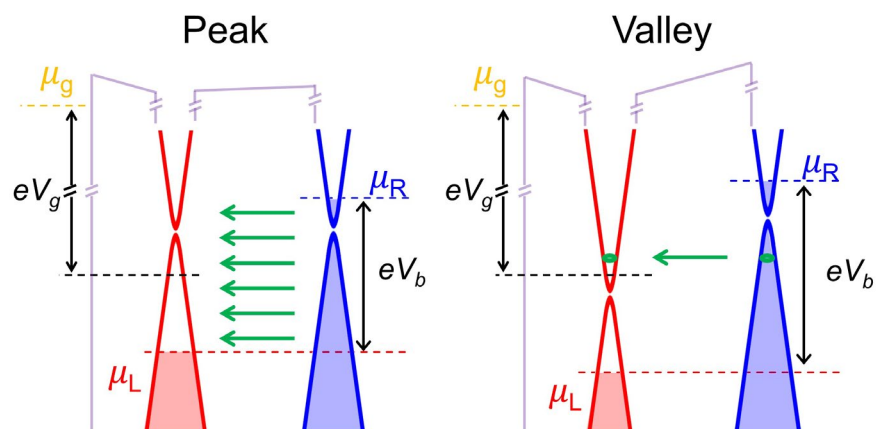
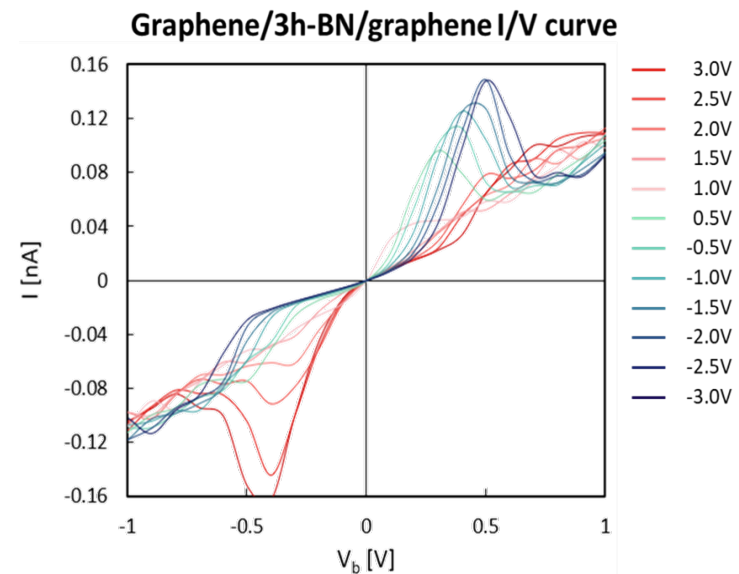
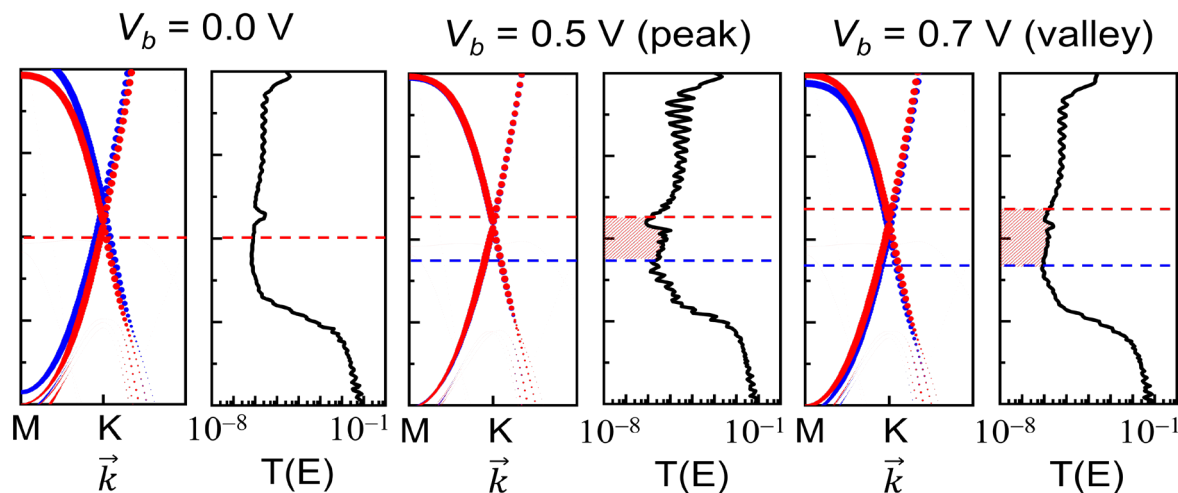
$$T(E; V_b, V_g) = \text{Tr}[\mathbf{a}_L \mathbf{M} \mathbf{a}_R \mathbf{M}^\dagger]$$

$$\Delta \bar{v}_H^V(\vec{r}; V_{SD}, V_G) = \bar{v}^V(\vec{r}; V_{SD}, V_G) - \bar{v}^0(\vec{r}; 0, 0)$$



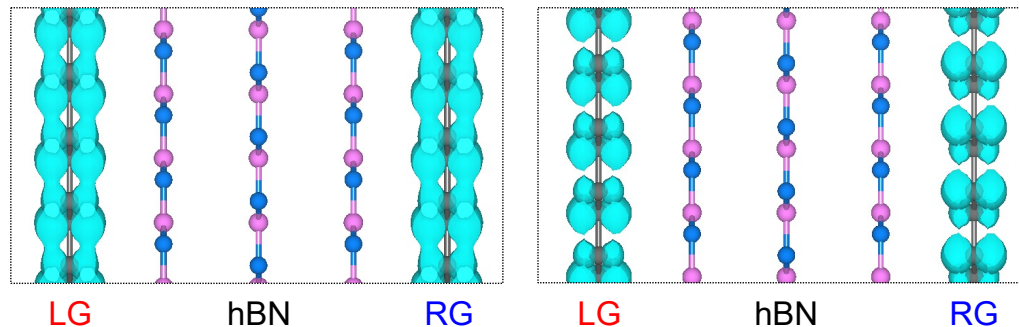
- Quantum capacitance  $\rightarrow$  Field partial penetration

$V_G = -2.5V$



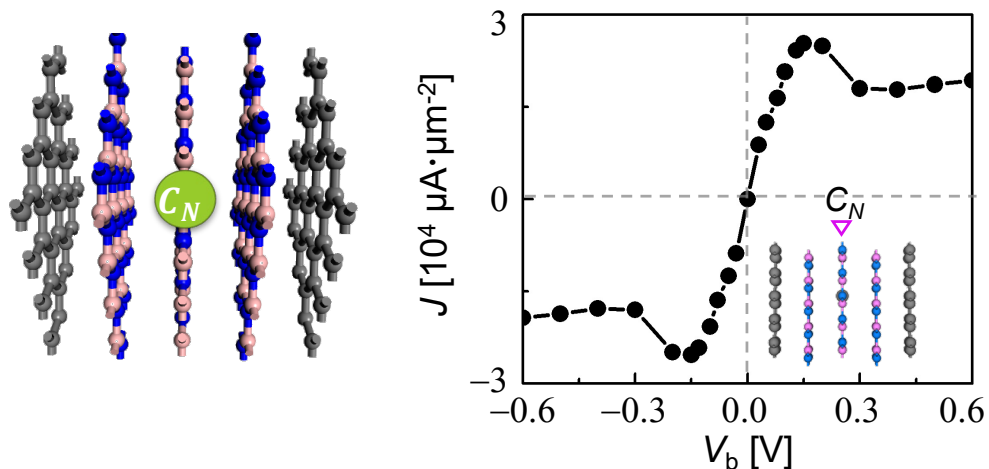
$V_b = -0.5V$  (peak, ①)

$V_b = -0.7V$  (valley, ②)



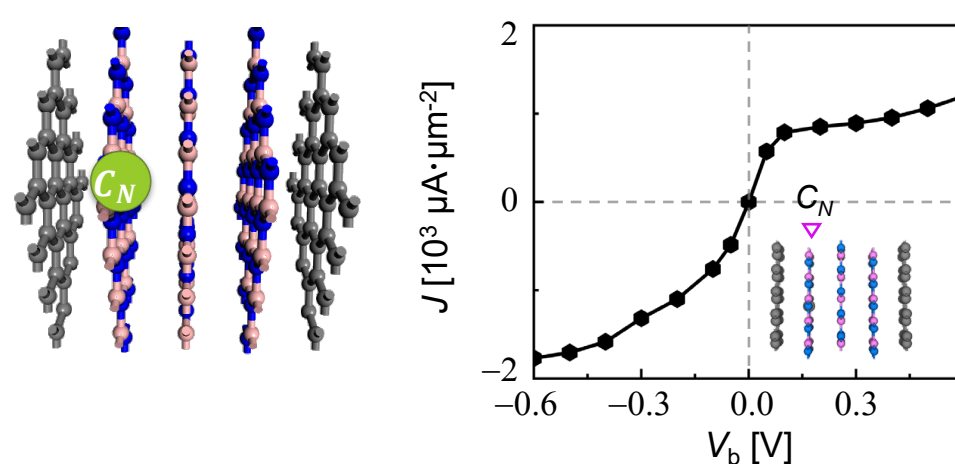
## $C_N$ defect @ middle hBN

$V_g = 0.0$  V



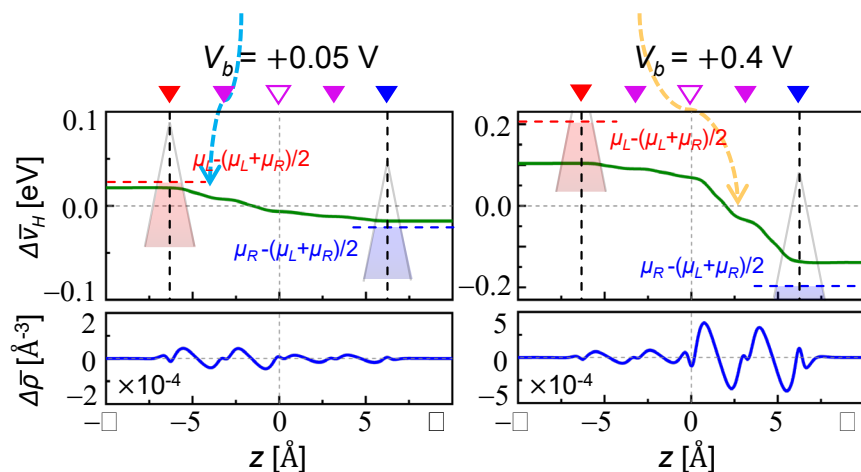
## $C_N$ defect @ interfacial hBN

$V_g = 0.0$  V



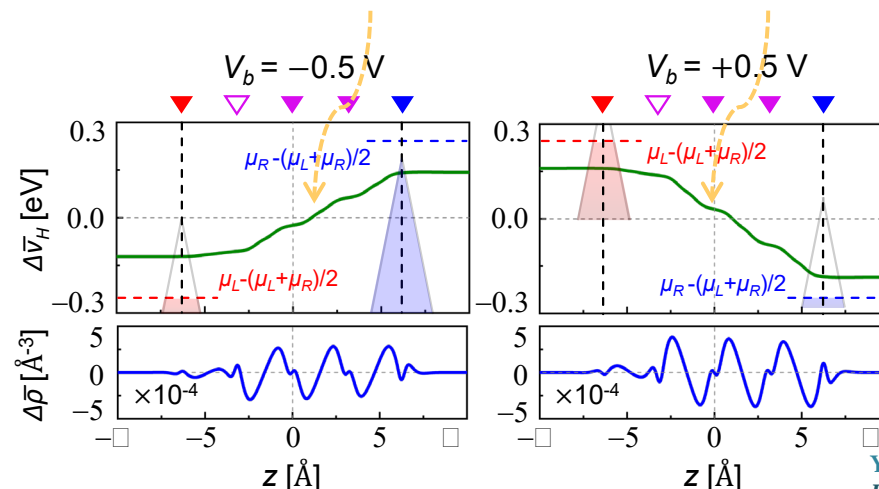
V drop @ left

V drop @ right

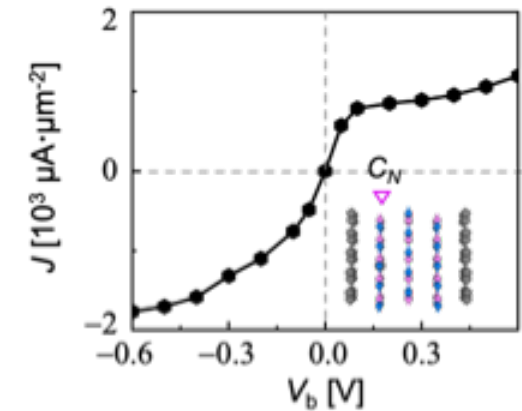
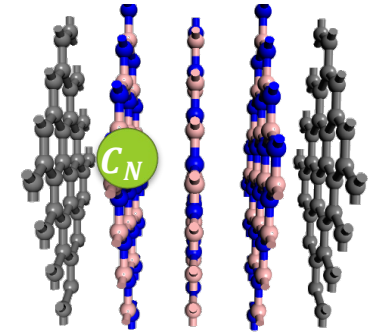
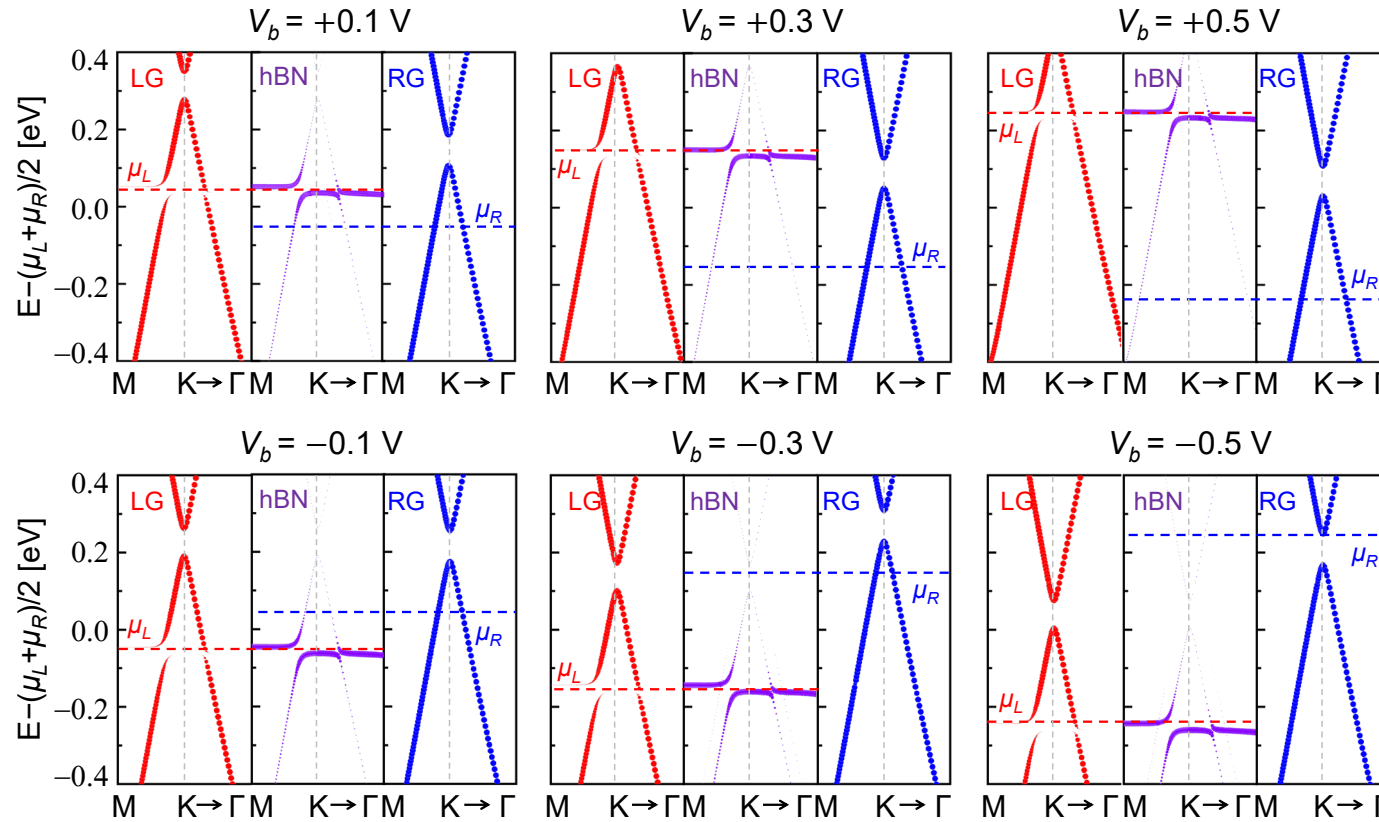


V drop @ right

V drop @ right



T.H. Kim, J. Lee, R.-G. Lee, & YHK,  
Npj Comput. Mater. **8**, 50 (2022)

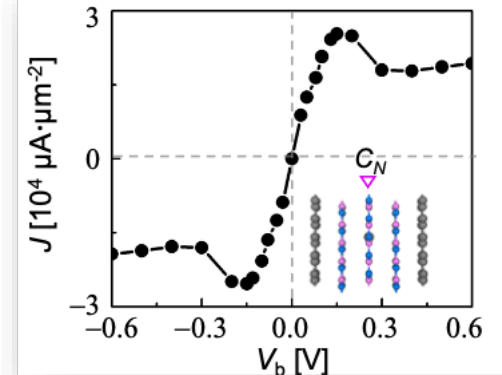
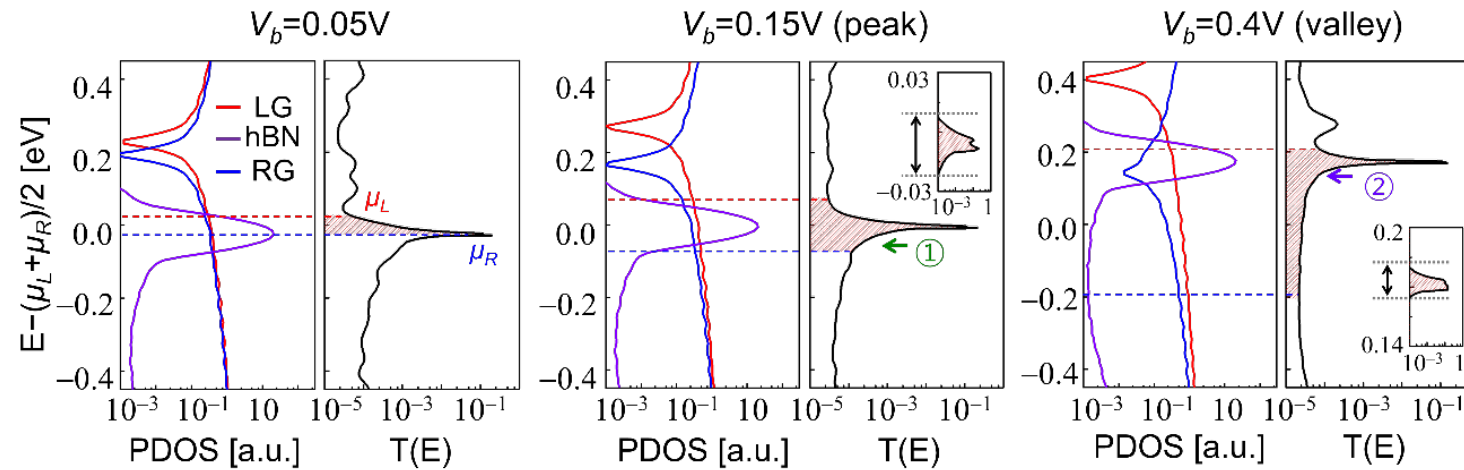
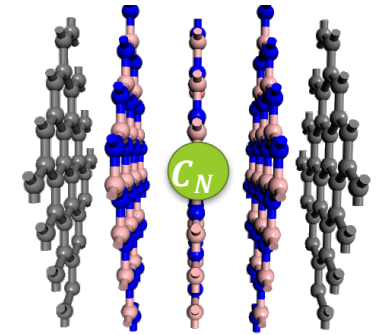
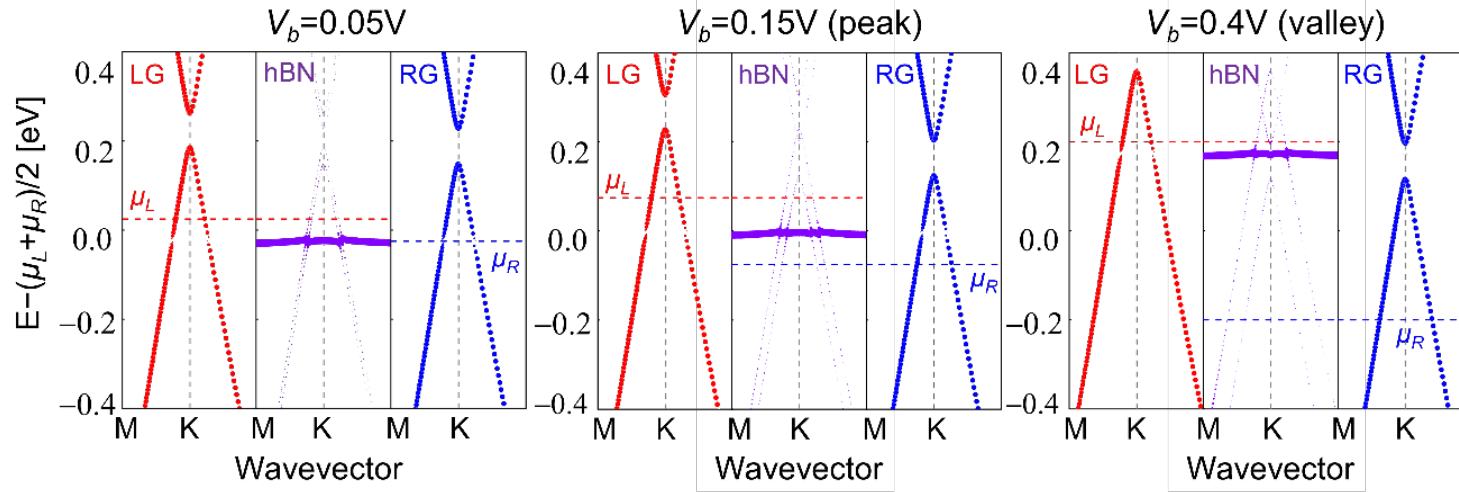


- **Pinning** of  $C_N$  defect @ left Gr



# Gr/defective hBN/Gr: $C_N$ @ middle hBN $\rightarrow$ symmetric NDR

T.H. Kim, J. Lee, R.-G. Lee, & YHK,  
Npj Comput. Mater. **8**, 50 (2022)

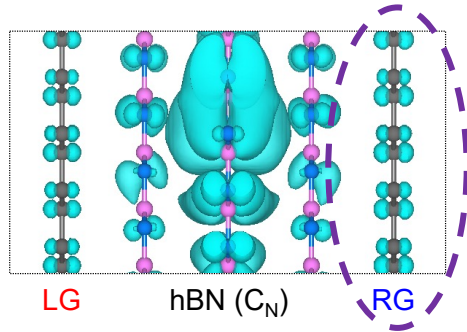


- Self-consistent filling of  $C_N$  defect levels  $\rightarrow$  upshift with  $V_b$
- $C_N$  defect level-mediated symmetric NDR

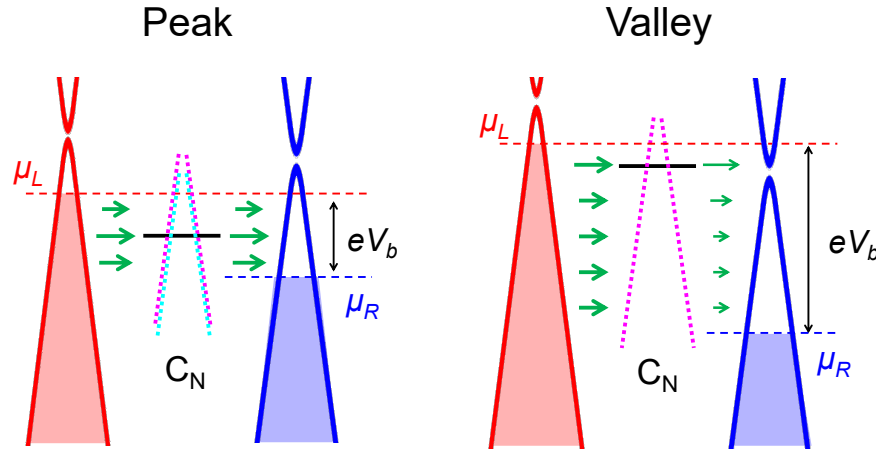
## Quantum-Hybridization NDR

T.H. Kim, J. Lee, R.-G. Lee, & YHK,  
Npj Comput. Mater. **8**, 50 (2022)

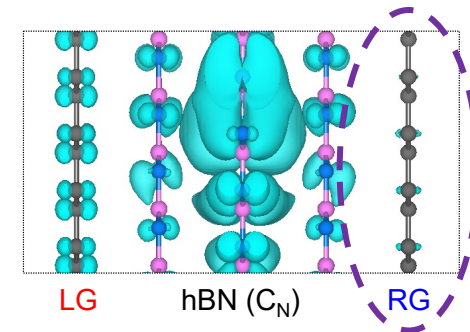
$V_b = 0.15$  V (peak, ③)



Quantum hybridization (QH):  
Strong



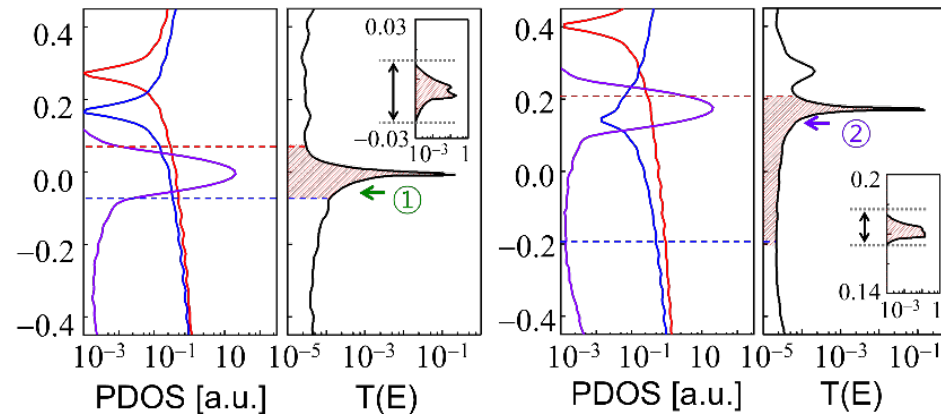
$V_b = 0.4$  V (valley, ④)



Quantum hybridization (QH):  
Weak

$V_b = 0.15$  V (peak)

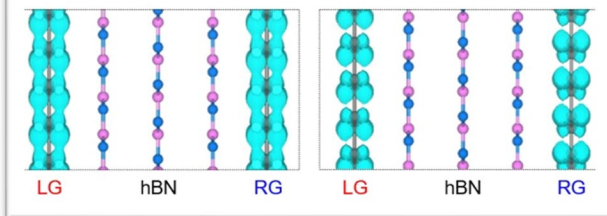
$V_b = 0.4$  V (valley)



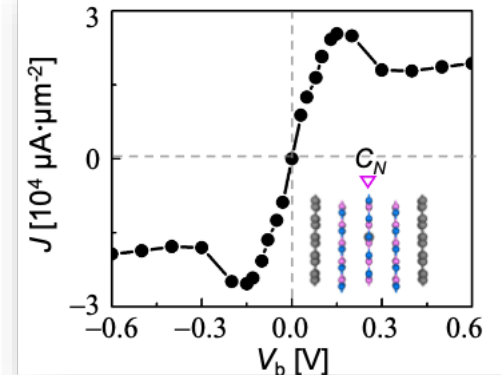
cf.

$V_b = -0.5$  V (peak, ①)

$V_b = -0.7$  V (valley, ②)



- Self-consistent filling of  $C_N$  defect levels  $\rightarrow$  upshift with  $V_b$
- $C_N$  defect level-mediated NDR  $\rightarrow$  QH-NDR



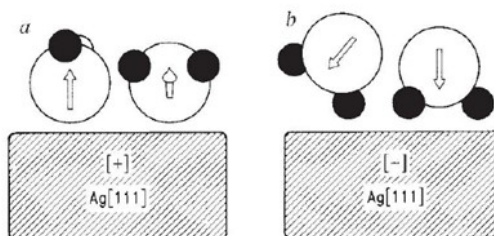
# 4. Interfacial water from first-principles?

LETTERS TO NATURE

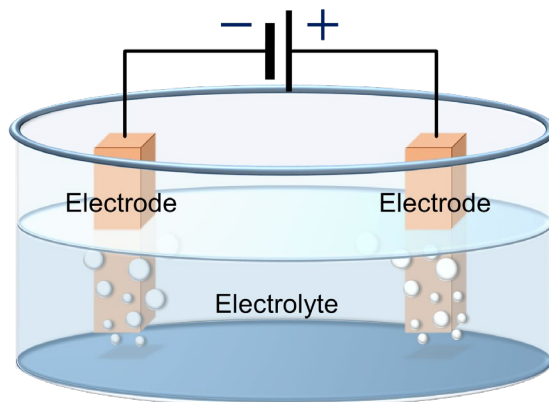
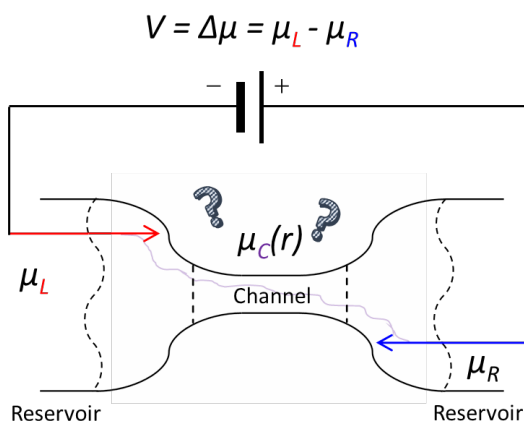
M. F. Toney *et al.* Nature 368, 444 (1994)

## Voltage-dependent ordering of water molecules at an electrode–electrolyte interface

Michael F. Toney\*, Jason N. Howard\*\*†, Jocelyn Richer\*\*†, Gary L. Borges\*, Joseph G. Gordon\*, Owen R. Melroy\*, David G. Wiesler‡, Dennis Yee§ & Larry B. Sorensen§

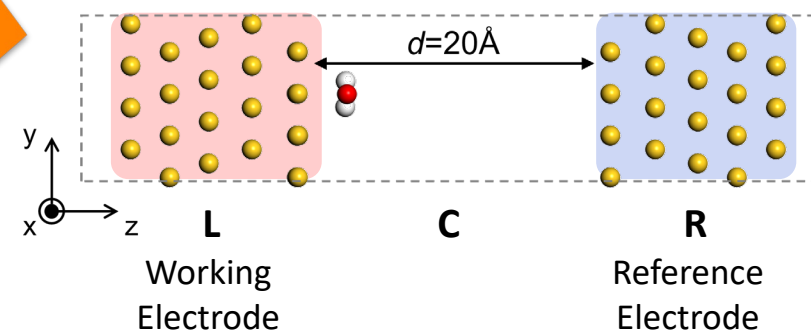
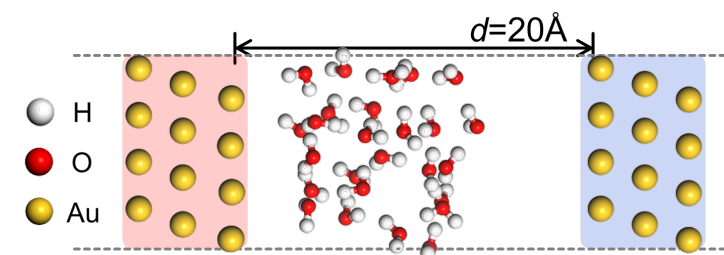


Quantum transport → Electrolytic cell



$$\Phi = -\frac{V_b}{2} = -\frac{(\mu_L - \mu_R)}{2e}$$

## Models

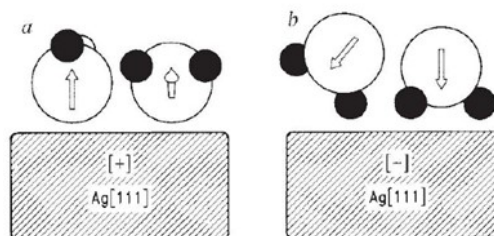


## LETTERS TO NATURE

M. F. Toney *et al.* Nature **368**, 444 (1994)

### Voltage-dependent ordering of water molecules at an electrode–electrolyte interface

Michael F. Toney\*, Jason N. Howard\*†, Jocelyn Richer\*†, Gary L. Borges\*, Joseph G. Gordon\*, Owen R. Melroy\*, David G. Wiesler†, Dennis Yee§ & Larry B. Sorensen§



Chem. Sci. **9**, 62 (2018)

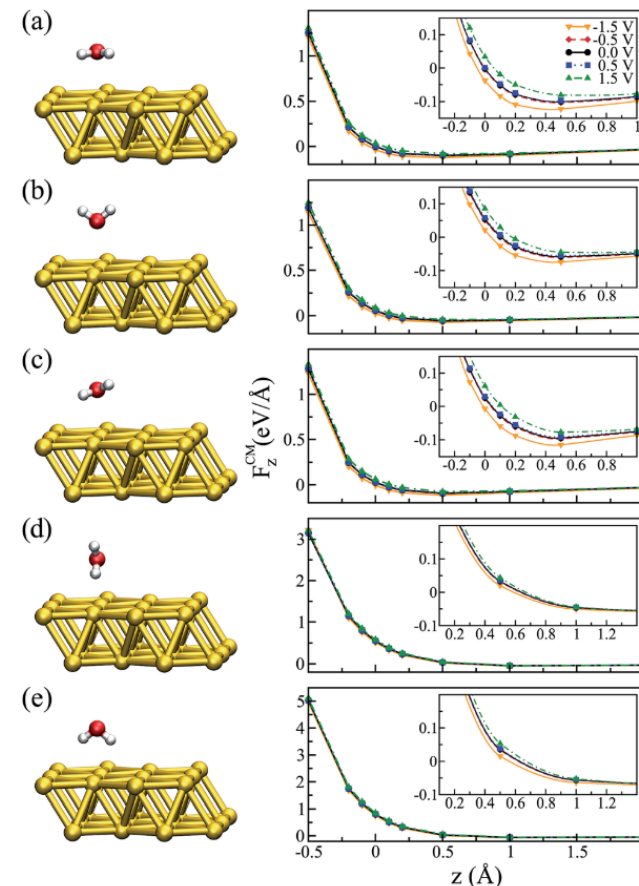
### Bias-dependent local structure of water molecules at a metallic interface†

Luana S. Pedroza,\*<sup>ab</sup> Pedro Brandimarte, <sup>cd</sup> Alexandre Reily Rocha <sup>e</sup> and M.-V. Fernández-Serra <sup>fg</sup>

- Hellmann-Feynman forces:

$$\vec{F}_I = - \frac{\partial \langle \psi^{L/C/R} | \hat{H} | \psi^{L/C/R} \rangle}{\partial \vec{R}_I}$$

- But no energy ...  $\langle \psi^{L/C/R} | \hat{H} | \psi^{L/C/R} \rangle$  ?



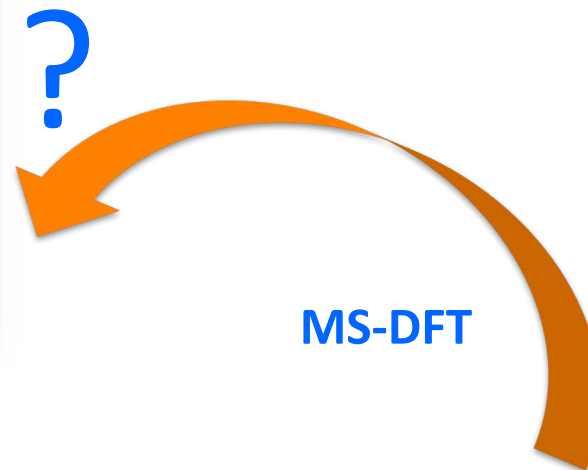
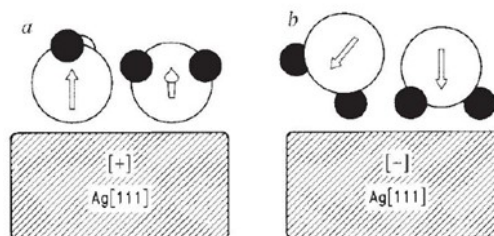
# Q. Interfacial water ← MS-DFT?

LETTERS TO NATURE

M. F. Toney *et al.* Nature 368, 444 (1994)

## Voltage-dependent ordering of water molecules at an electrode–electrolyte interface

Michael F. Toney\*, Jason N. Howard\*†, Jocelyn Richer\*†, Gary L. Borges\*, Joseph G. Gordon\*, Owen R. Melroy\*, David G. Wiesler‡, Dennis Yee§ & Larry B. Sorensen§

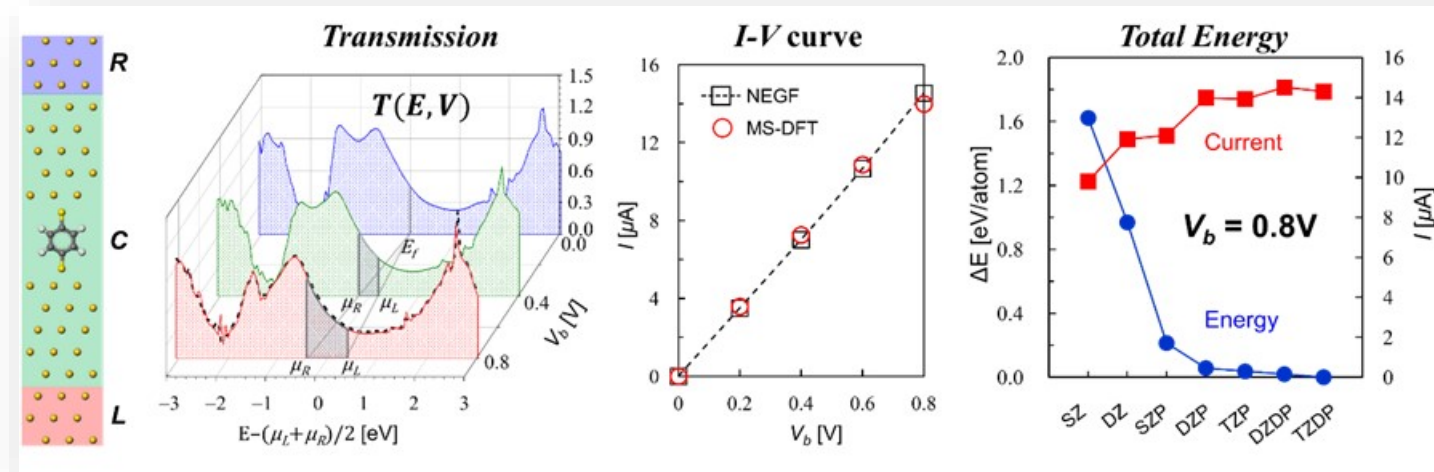


Total energy  $E_{L+C+R}^V$ :

NOT enough!

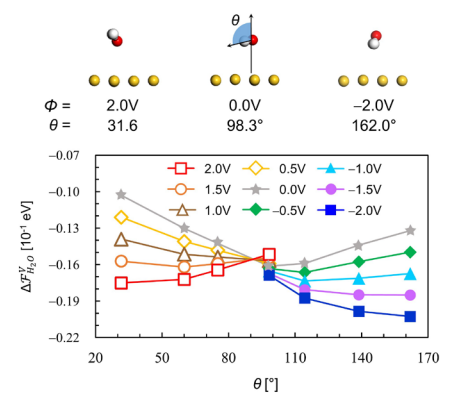
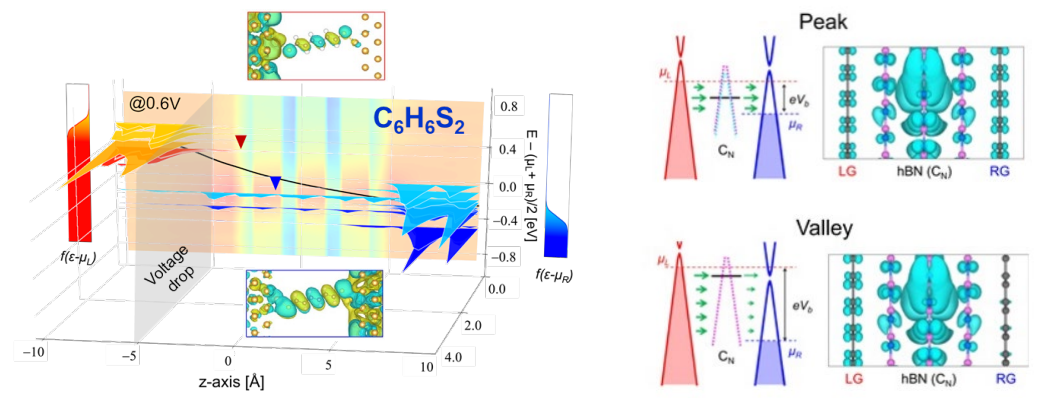
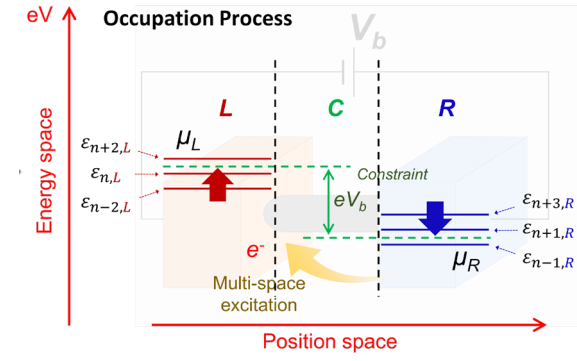
→ Q. Appropriate

Free energy ?



- I. Background information: DFT, NEGF, & Landauer
- II. MS-DFT: development & its applications
- III. Summary

- “Multi-space excitation” for quantum transport
  - An alternative to the Landauer viewpoint
  - Formulation of MS-DFT (vs. NEGF)
- Advantages and Applications
  - Quasi-Fermi levels: “Voltage drop”
  - Graphene-based nanodevices
  - Total energy
  - Electric enthalpy (of formation)
  - Interfacial water (and beyond ...)



## Group Members

<http://nanocore.kaist.ac.kr/yhklab>

### Research staff

- Dr. Junho Park
- Dr. Junho Lee
- **Dr. Kaptan S. Rajput**
- Ms. Hyo Jin Jeon

### PhD Students

- **Tae Hyung Kim**
- **Hyunwoo Yeo** Thu.
- **Ryongyu Lee** Tue.

### Alumni

- **Dr. Juho Lee**
- **Dr. Han Seul Kim**

### MS Students

- Seunghyun Yu Wed. (poster)
- Jaeun Kim
- Jiyeon Song



## Funding





**감사합니다.**

***Thank you!***